

4C

11-8-13

test 3

CH 34, 35, 36, CH 18 (EC)

final: CH. 20  
 19  
 EXAM 18  
 36  
 35  
 34

+ 2 problems  
from T1, T2

section 20.4

bridges

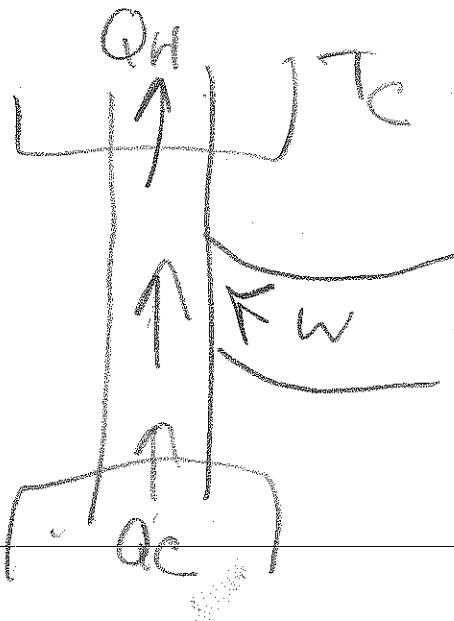
$$|Q_H| = Q_c + W$$

$$k = \frac{|Q_c|}{W}$$

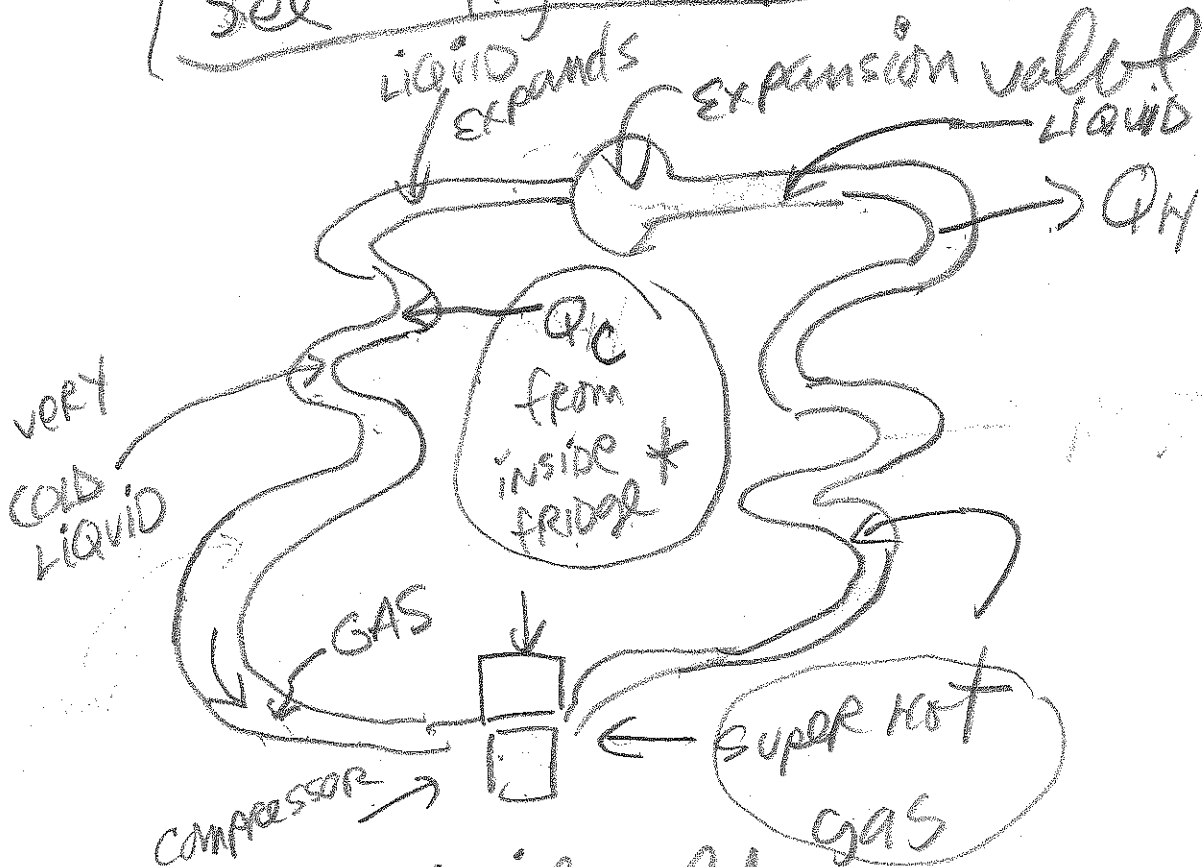
$$k = \frac{|Q_c|}{T_c}$$

$$|Q_H| - |Q_c|$$

$k \rightarrow \infty$  when  $|W| \rightarrow 0 \Leftrightarrow |Q_H| = |Q_c|$



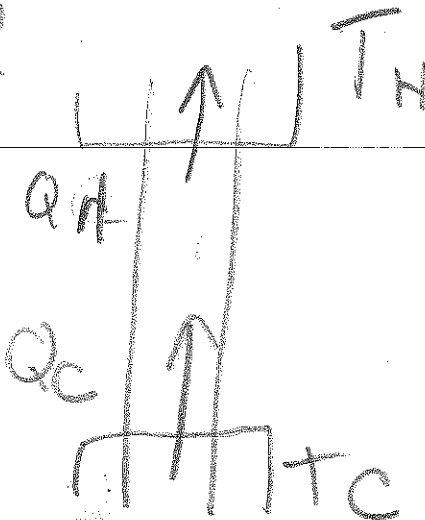
See fig 20.9



\* keeps inside cold.

2ND LAW

impossible



page  
662

cpc 20.6

Carnot cycle: MOST efficient!

reversible: slowly,

no friction, NO TURBULENCE

A SPECIAL reversible

PROCESS IN 4 STEPS:

(1) Isothermal expansion

(2) Adiabatic expansion

(3) Isothermal compression

(4) Adiabatic compression

$$\epsilon_c = 1 - \frac{T_c}{T_H}$$

MOST efficient  
note:  $\epsilon_c < 1$   
ALWAYS

Sec. 20. → Entropy

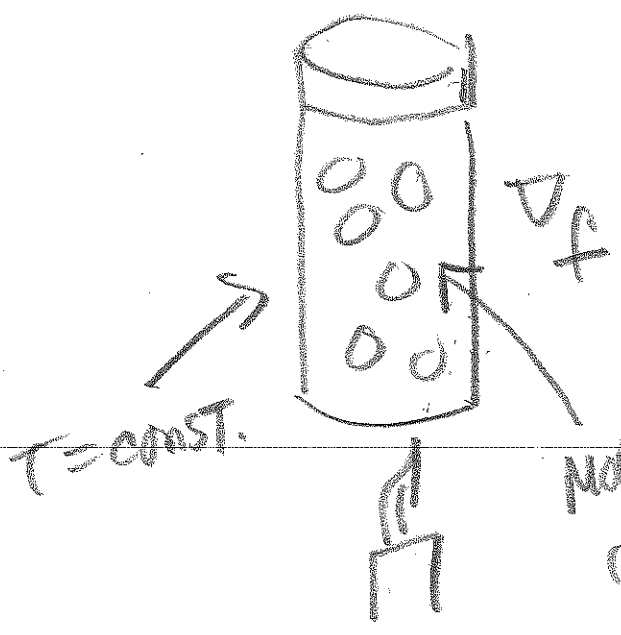
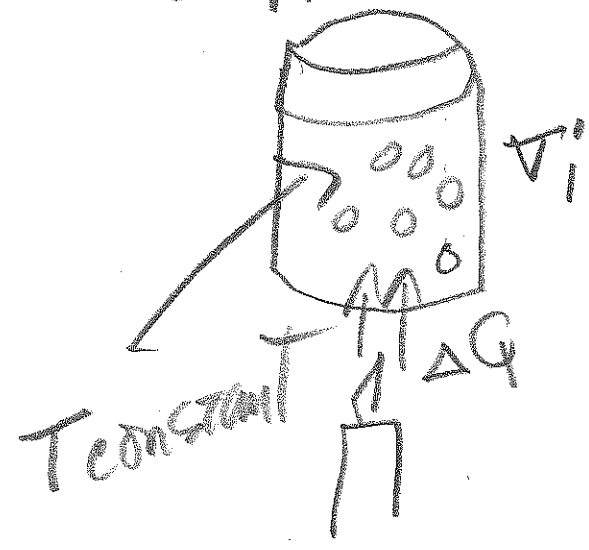
ISOTHERMAL  
PROCESS

$$dQ = dW$$

$$dT = 0$$

$\Delta U \propto T = \text{CONST.}$   
INTERNAL ENERGY OF GAS

$$dT \propto dT = 0$$



GAS molecules  
are randomly  
moving over  
a LARGER VOLUME  
⇒ MORE DISORDER

More  
disorder  
in larger  
volume

Isobaric entropy:

$$dQ = dW = p dV \text{ since } dT=0$$

$$p = \frac{nRT}{V} \text{ (CH 18)}$$

$$dQ = \frac{nRT dV}{V}$$

$$\rightarrow \frac{dV}{V} = \frac{dQ}{nRT}$$

increase in disorder  
fractional increase in disorder.

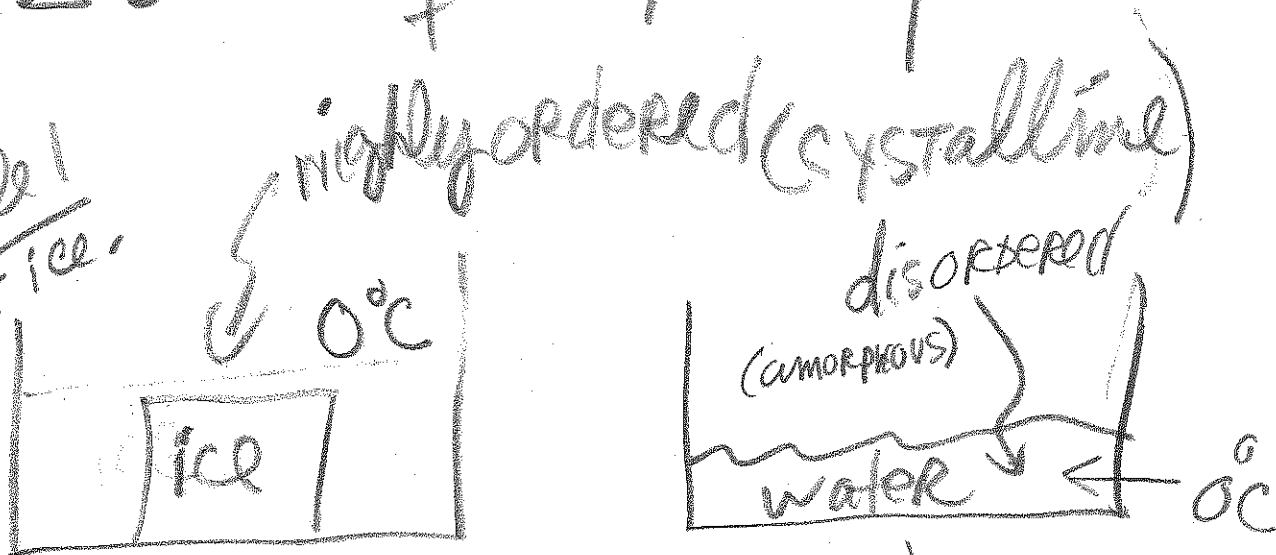
Isobaric (T=const)

$$ds = \frac{dQ}{T} \quad \left( ds \propto \frac{dV}{V} \right)$$

# Isothermal process

$$\Delta S = S_f - S_i = \frac{\Delta Q}{T}$$

EXAMPLE!  
MELT ICE.



$m = 1g$   
 $L_f = 80 \frac{cal}{g}$

$\Delta Q$

$\Delta Q$

$\Delta S = ?$  for melting ice @ 273K

$$\Delta S = \frac{\Delta Q}{T} = \frac{\Delta Q}{273K} = \frac{m_{ice} \cdot L_f}{273K}$$

$$\Delta S = \frac{(1g) \cdot (80 \text{ cal/g})}{273 \text{ K}}$$

$$= \frac{80 \text{ cal}}{273 \text{ K}}$$

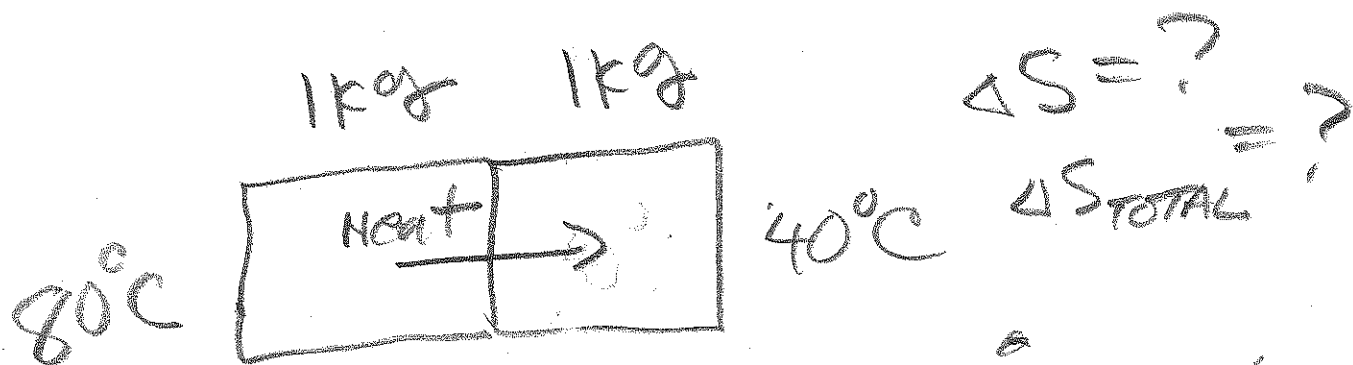
$$= 0.293 \frac{\text{cal}}{\text{K}}$$

$$= 0.293 \frac{\text{cal}}{\text{K}} \times \frac{4.190 \text{ J}}{\text{cal}}$$

$$= 1.23 \frac{\text{J}}{\text{K}} = \Delta S = \text{increase in disorder}$$

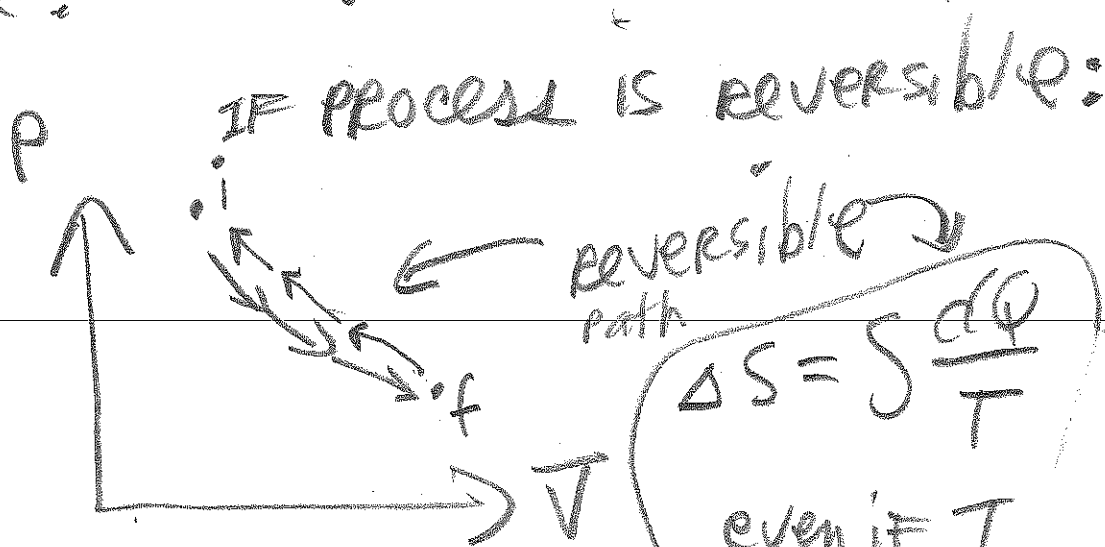
# Example: Mixing problem

where  $T \neq 0^\circ\text{C}$  and  $T \neq \text{constant}$



ASSUME BODIES ARE INSULATED  
(closed system)

NOTE: page 670



$$\Delta S = \int \frac{dQ}{T}$$

even if  $T \neq \text{constant}$



ALSO NOTE

Since  $S$  is a "state variable";

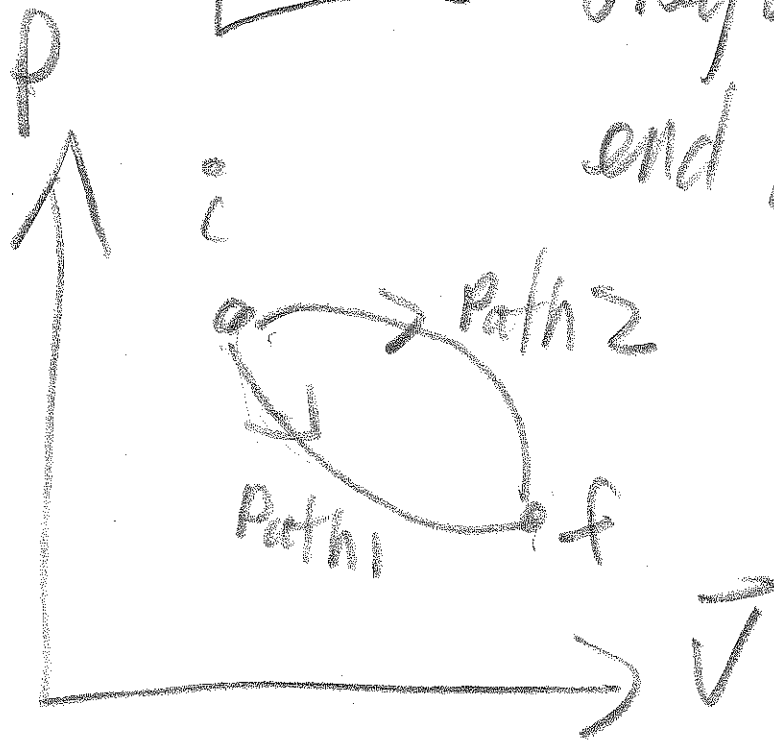
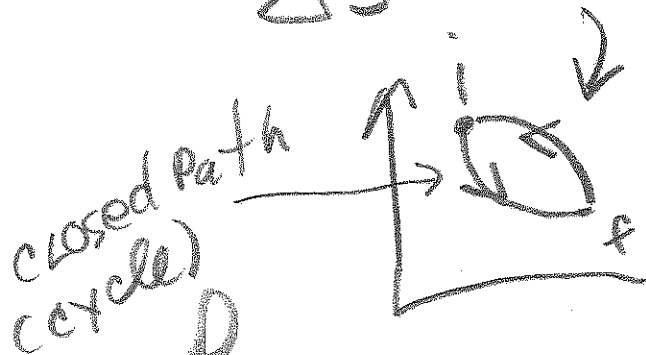
$$\Delta S = 0$$

over a closed

path and

only depends on

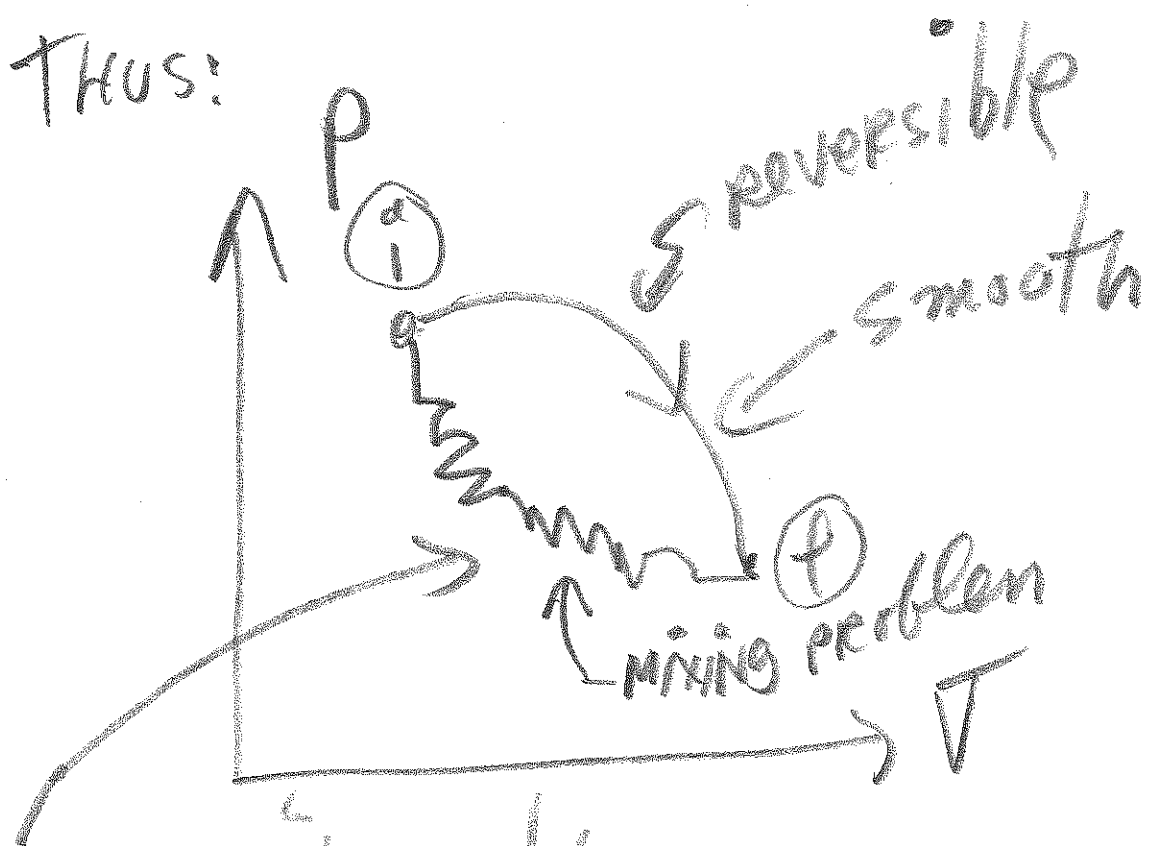
end points.



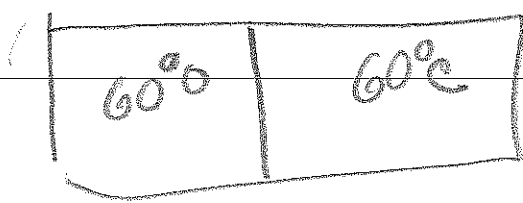
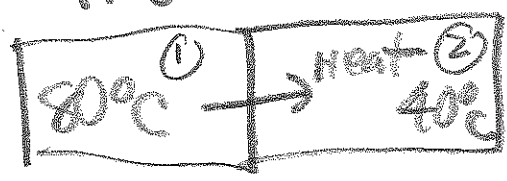
$$\Delta S_{\text{Path 1}} = \Delta S_{\text{Path 2}}$$

$$\Delta S_{\text{Path 1}} - \Delta S_{\text{Path 2}} = 0$$

THUS:



irreversible path



$\Delta S = ?$

$$\Delta S_{TOTAL} = \Delta S_1 + \Delta S_2$$

ASSUME water  
USE A REVERSIBLE PATH:

$$C_w = \frac{1 \text{ cal}}{g^\circ\text{C}}$$

$$\Delta S_1 = \int \frac{dQ}{T} = m \int \frac{C_w dT}{T} = mc \ln \frac{T_f}{T_i}$$

$$dQ = m C_w dT = (1000g) C_w dT$$

$$\Delta S_1 = mc \ln \frac{333\text{K}}{353\text{K}}$$

$$\Delta S_2 = mc \ln \frac{333\text{K}}{313\text{K}}$$

$$\Delta S_1 + \Delta S_2 = mc \ln \left[ \frac{333^2}{353 \cdot 313} \right] > 0$$

$$333^2 > 353 \cdot 313$$