

TODAY'S

LAB

10-23-13
4C

LAB TODAY

Measure grooves on CD!
Compare with
industry standard.

(1)

REVIEW CH 17 # 7, 15, 20, 22,
26, 30, 45, 33, 39,
38, 48*, 55, 57*, 64, 68*, 58*

Big sections

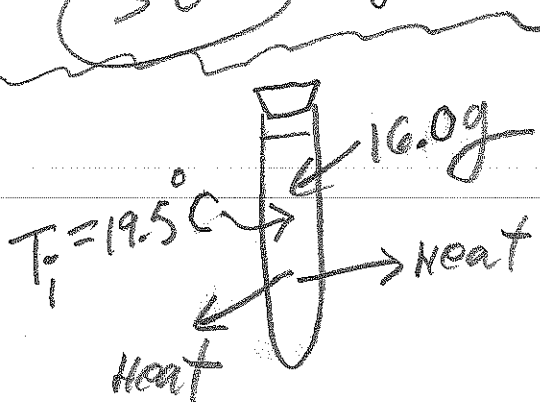
(A) Sec. 17.5 - Exercises
WHAT IS HEAT?

(C) 17.7 Heat Transfer Exercises

(B) 17.6 - Exercises
CALORIMETRY
+ Problems after that

58 glass vial

AIR

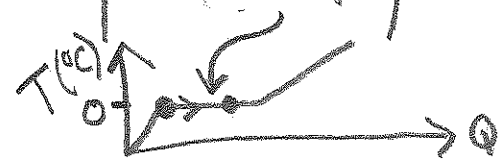


16.0g of ENZYME
Heat flows until ENZYME temp. = 0

ice bath @ 0 degrees C
ice + water @ 0 degrees C
m = 0.120 kg
i = ice mass.

Heat lost = Heat gained

$|m_g \cdot C_g \cdot \Delta T + m_e \cdot C_e \cdot \Delta T| = |m_{ice} \cdot L_f|$



(2)

NOTE: $|\Delta T| = 19.5 - 0 = 19.5^\circ\text{C}$
 $\Delta T = 0 - 19.5 = -19.5^\circ\text{C}$

$$|(m_g c_g + m_e c_e) \Delta T| = m_{ice} L_f$$

$$m_{ice} = \frac{(m_g c_g + m_e c_e) \cdot |\Delta T|}{L_f}$$

$$m_{ice} = \frac{[(0.006)(2800) + (0.016)(2250)](19.5)}{334 \times 10^3}$$

$$= 3.082 \text{ kg} = (3.08 \text{ g})$$

NOTE: $L_f = 334 \times 10^3 \frac{\text{J}}{\text{kg}}$

What could I do on test 2?

What is mass of remaining ice?

INITIAL ICE MASS $\rightarrow 120 \text{ g} - 3.082 = 116.918 \text{ g} = 0.1169 \text{ kg}$

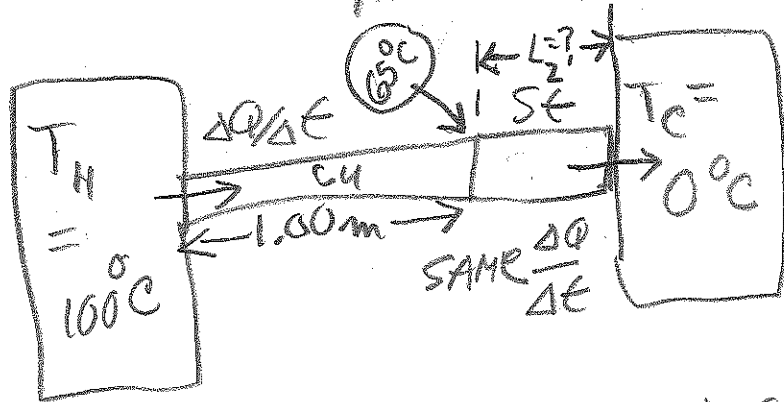
SERIES CONNECTION TO Reduce Heat flow rate $\frac{\Delta Q}{\Delta t}$

Q17 (68)

(a) $\left(\frac{\Delta Q}{\Delta t}\right)_{Cu} =$

$$= \frac{k \cdot A (100 - 65)^\circ C}{1.00 m}$$

= HEAT RATE OF ENTIRE SYSTEM.



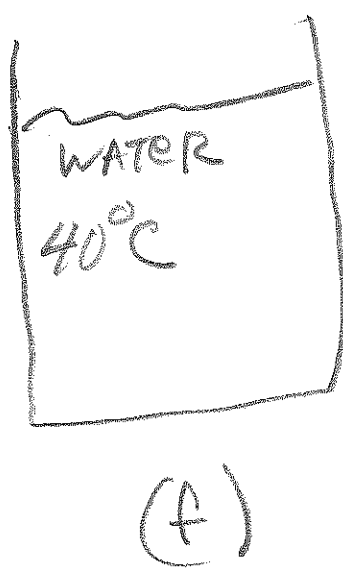
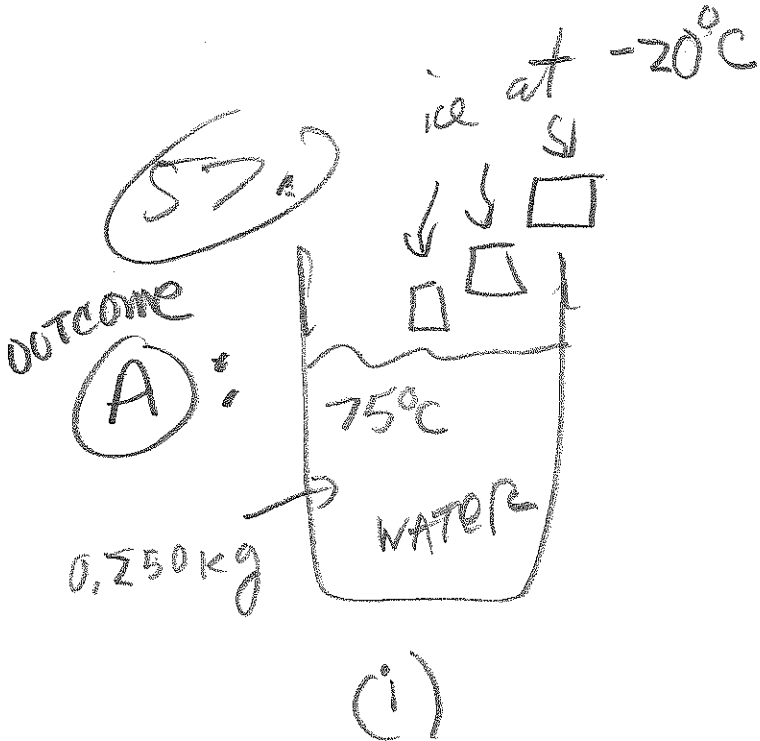
$$\frac{\Delta Q}{\Delta t} = \frac{(385.0)(4 \times 10^{-4})(35)}{(1)} = 5.39 \frac{J}{s}$$

(b) $\left(\frac{\Delta Q}{\Delta t}\right)_{Cu} = 21.56 = \frac{k_{Se} \cdot A (65 - 0)^\circ C}{L_2} = \left(\frac{\Delta Q}{\Delta t}\right)_{Se}$

$A = 4 \times 10^{-4} m^2$; $k_{Se} = 50.2 \frac{W}{m \cdot ^\circ C}$

$$5.39 = \frac{(50.2)(4 \times 10^{-4})(65)}{L_2}$$

$$L_2 = \frac{(50.2)(4 \times 10^{-4})(65)}{5.39} = \boxed{0.24 m = 24 cm}$$



$$|\text{Heat lost}| = |\text{Heat gained}|$$

WATER
ice

$$|m_w c_w \cdot \Delta T_w| = |m_i c_i \Delta T_i + m_i L_f + m_i c_w \Delta T_i'|$$

NOTE: $|\Delta T_w| = (75 - 40)^{\circ}\text{C} = 35^{\circ}\text{C}$

NOTE: $m_i =$ MASS of ice after melting

$\Delta T_i = 0 - (-20) = 20^{\circ}\text{C}$: heating ice

$\Delta T_i' = 40 - 0 = 40^{\circ}\text{C}$: rise of ice water after ice melts.

want $m_i = ?$

15

$$m_w = 0.250 \text{ kg}$$

$$C_w = 4190 \text{ J/kg} \cdot ^\circ\text{C}$$

$$(0.250)(4190) \cdot 35 = m_i (2100) \cdot 20 + m_i L + m_i C_i \cdot \Delta T_i$$

$C_i = \frac{2100 \text{ J}}{\text{kg} \cdot ^\circ\text{C}}$

$$3.66625 \times 10^4 = m_i \left[(2100)(20) + (3.34 \times 10^5) + (4190)(40) \right]$$

$$3.666 \times 10^4 = m_i \left[42000 + 334000 + 167600 \right]$$

$$3.666 \times 10^4 = [543600] \cdot m_i$$

$$\frac{36662.5}{543600} = m_i = 0.0672 \text{ kg}$$

$$= 67 \text{ g}$$

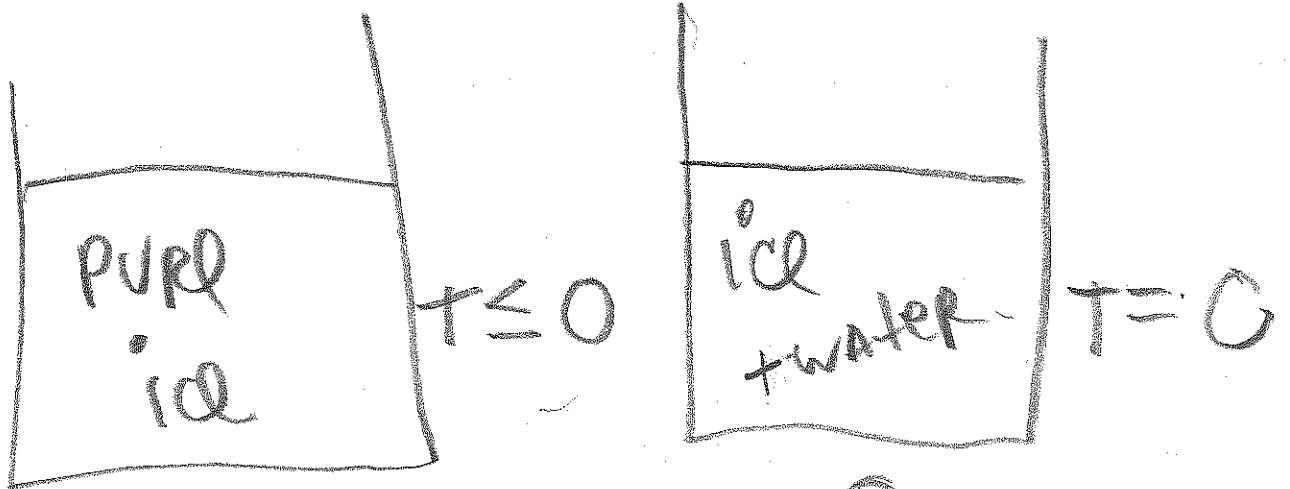
WE ADD 0.067 kg TO 0.250 kg water.
ice

test 2 what if #57 (C)

2 other possible outcomes

depending on initial

ice parameters like mass or initial ice temperature.



(B)

(C)

other possible outcomes

48

$$\begin{aligned} \left(\text{Heat lost} \right) &= m_w c_w |\Delta T| + m_w L_f \\ &= m_w (c_w |\Delta T| + L_f) \\ &= (0.350) (4190 \cdot 18 + 334000) \\ &= (0.350) (75420 + 334000) \\ &= (0.350) (409420) \\ &= 1.4 \times 10^5 \text{ J} \end{aligned}$$

realistic?

Objective:

The purpose of this experiment is to verify the law of interference between light rays reflected from a metal ruler.

Equipment:

Small metal ruler

Laser

Introduction:

Light rays on two adjacent diffracting centers ruled on a metal surface will reflect off the surface and interfere. The diffracted rays will combine to produce maximum intensity if the path difference between the adjacent rays is an integral number of wavelengths. See figure 1 below. The condition for maximum intensity is from the diagram.

$$CB - AD = n\lambda; n = 0, 1, 2, 3, \dots$$

(1)

It is clear that $CB = d \cos \phi_0$

(2)

$$AD = d \cos \phi_n$$

(3)

Thus, equation (1) can be written,

$$d \cos \phi_0 - d \cos \phi_n = n\lambda$$

(4)

It can be shown that $d \left(\frac{(y_n)^2 - (y_0)^2}{2x^2} \right) = n\lambda$

(5)

Where y_n = distance to the n^{th} maximum on the screen and y_0 = distance to the 0^{th} maximum on the screen ($n = 0$) and x = distance from the ruler to the screen.

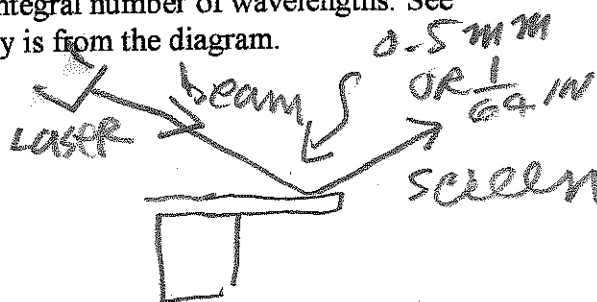
Thus, $\lambda = \frac{d}{n} \left(\frac{(y_n)^2 - (y_0)^2}{2x^2} \right)$

(6)

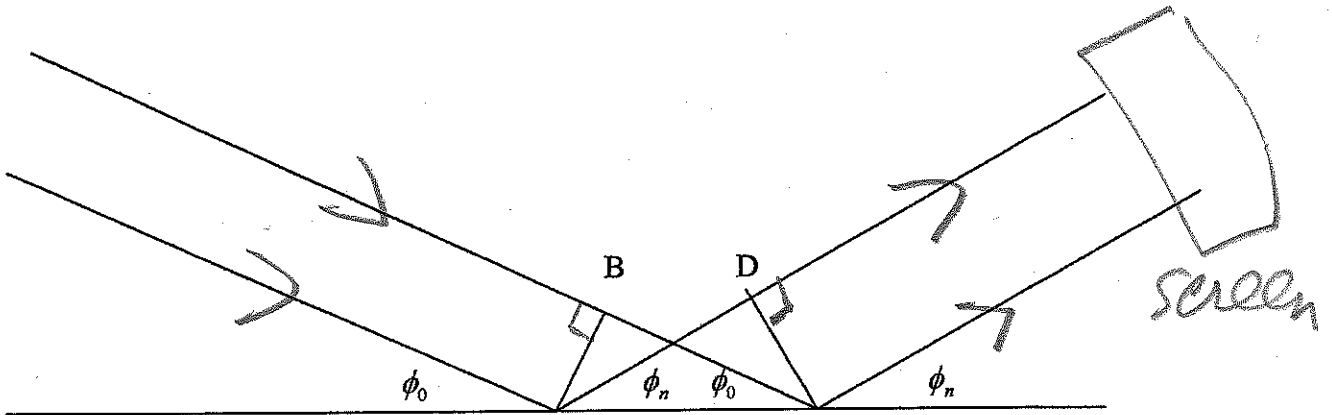
Procedure:

(Q-1) The wavelength of the laser light is 638.2 nm. Measure x .

(Q-2) Measure $y_0, y_1,$ and y_2 . From these measurements calculate d , the distance between the markings on the ruler. Use markings that are 1/64 inches, and compare your calculations with the expected value of d .



Interference from a diffraction Ruler:



$\lambda = 638.2 \text{ nm}$
He-Neon

$$\cos \phi_n = \frac{AD}{d}$$

$$\cos \phi_0 = \frac{CB}{d}$$

$$CB - AD = n\lambda$$

$$d \cos \phi_0 - d \cos \phi_n = n\lambda \quad ; \quad n = 0, \pm 1, \pm 2, \pm 3, \dots$$

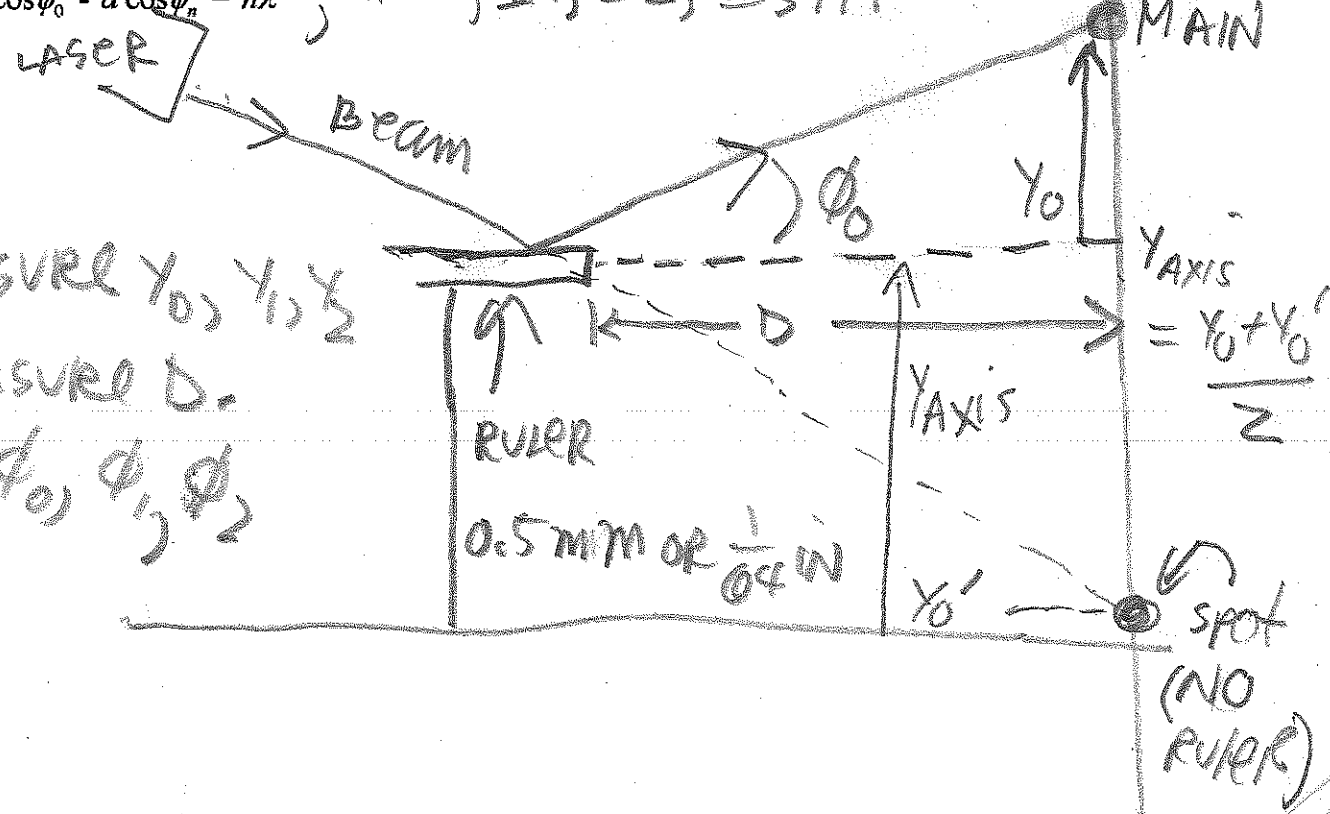
$$d(\cos \phi_0 - \cos \phi_1) = \lambda$$

$$d(\cos \phi_0 - \cos \phi_2) = 2\lambda$$

ALSO: FIND d FOR $n = -1, -2$

BRIGHT SPOTS

MEASURE y_0, y_1, y_2
MEASURE d .
 $\rightarrow \phi_0, \phi_1, \phi_2$

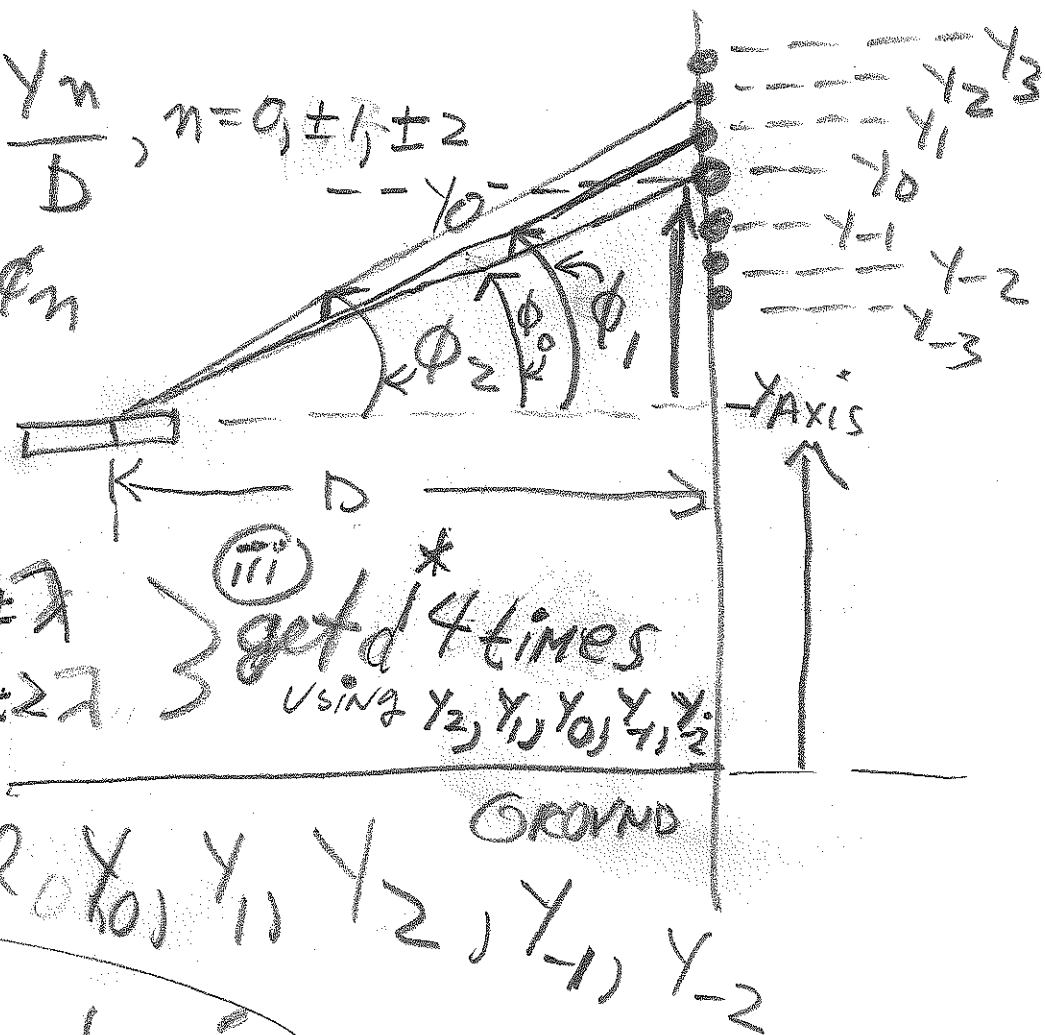


(i) $\tan \phi_n = \frac{y_n}{D}, n=0, \pm 1, \pm 2$

(ii) FIND $\cos \phi_n$

USE FORMULA:

$\lambda = 638.2 \text{ nm}$



$d(\cos \phi_0 - \cos \phi_{\pm 1}) = \pm \lambda$
 $d(\cos \phi_0 - \cos \phi_{\pm 2}) = \pm 2\lambda$

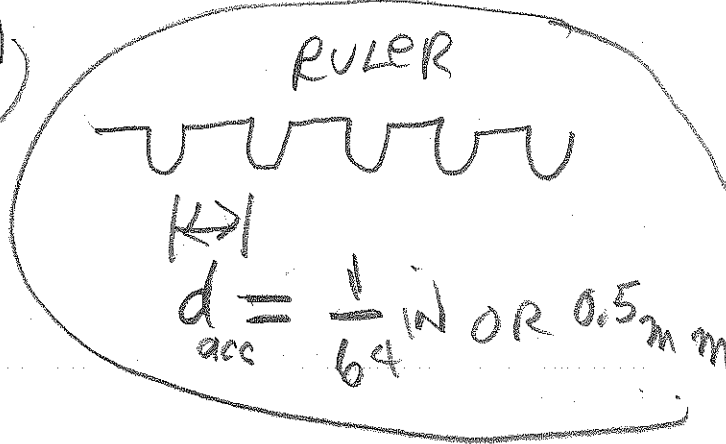
(iii) * get d 4 times using $y_2, y_1, y_0, y_{-1}, y_{-2}$

d = MARKING distance

measure $y_0, y_1, y_2, y_{-1}, y_{-2}$

$d_{acc} = 0.5 \text{ mm OR } \frac{1}{64} \text{ IN.}$

* use $d_{AV} : \left| \frac{d_{AV} - d_{acc}}{d_{acc}} \right| \times 100\%$
 $\Rightarrow P.E. =$



and CHECK

$d_{AV} - \Delta < d_{acc} < d_{AV} + \Delta$

$\Delta = \frac{\text{MAX} - \text{MIN}}{2}$; MAX = d_{MAX} of 4.
 MIN = d_{MIN} of 4.