

10-11-13

11

4c

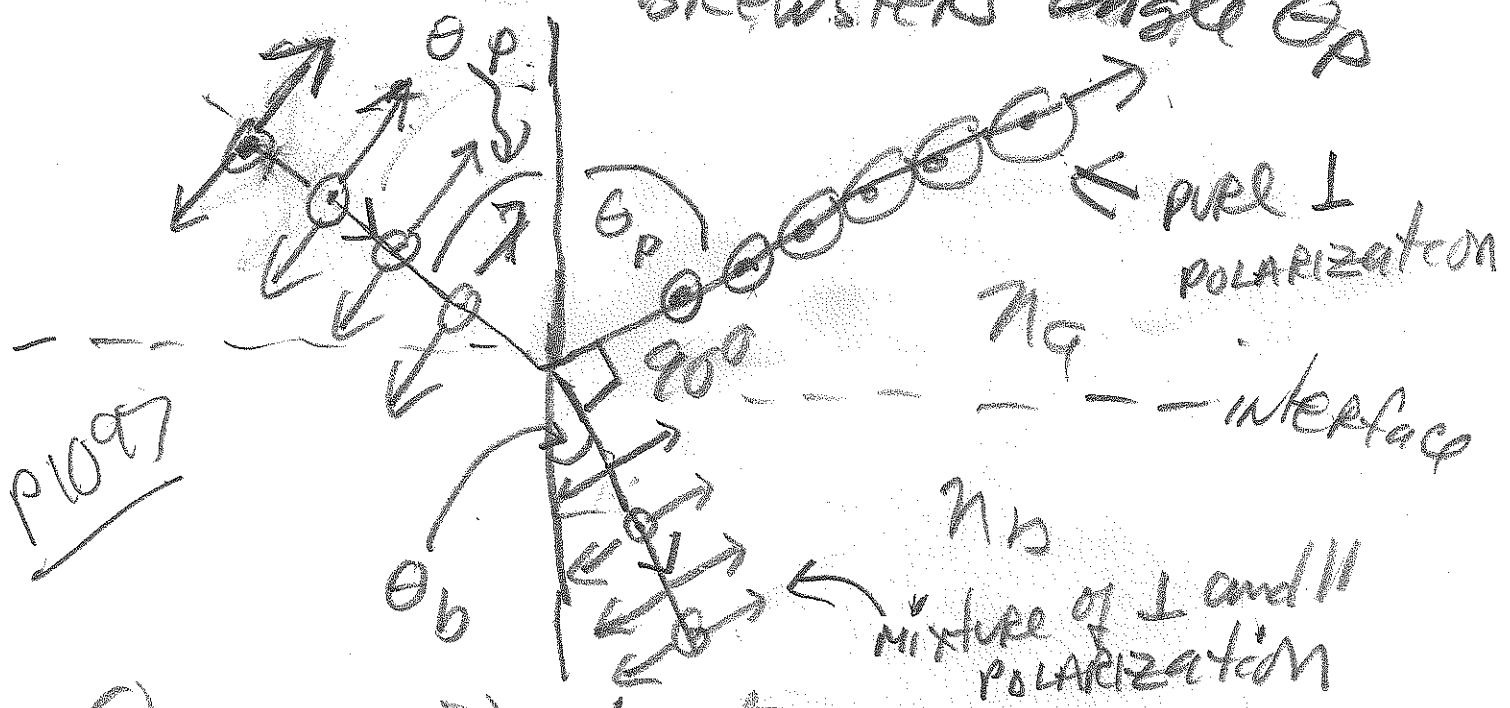
4c

test 2 review
lecture notes

Date	CH	TOPIC	problem
8-30	16	$v = \sqrt{\frac{\gamma RT}{M}}$	speed of sound calculation EXAMPLE 16.4
9-11	17	H ₂ O PHASE DIAGRAM calculations (H ₂ O)	PHASE DIAGRAM calculations
9-18	16	$D_b = 10 \log\left(\frac{I}{I_0}\right)$	FIREWORKS PROBLEM 4 SAMPLE TESTS
9-20	16	test 1 solutions	# 5 solution (E.C.)
9-23	32	LECTURE FEM WAVES	FEM THEORY
10-7	32	WIND SAIL PROBLEM	SAMPLE TEST 2 PROBLEM
10-11	33	# 6 and # 58 CH 33	

CH 33

POLARIZATION BY REFLECTION:
BREWSTER'S ANGLE θ_p



P1097

⊙ means \vec{E} vibrates \perp PAGE (and \parallel INTERFACE)

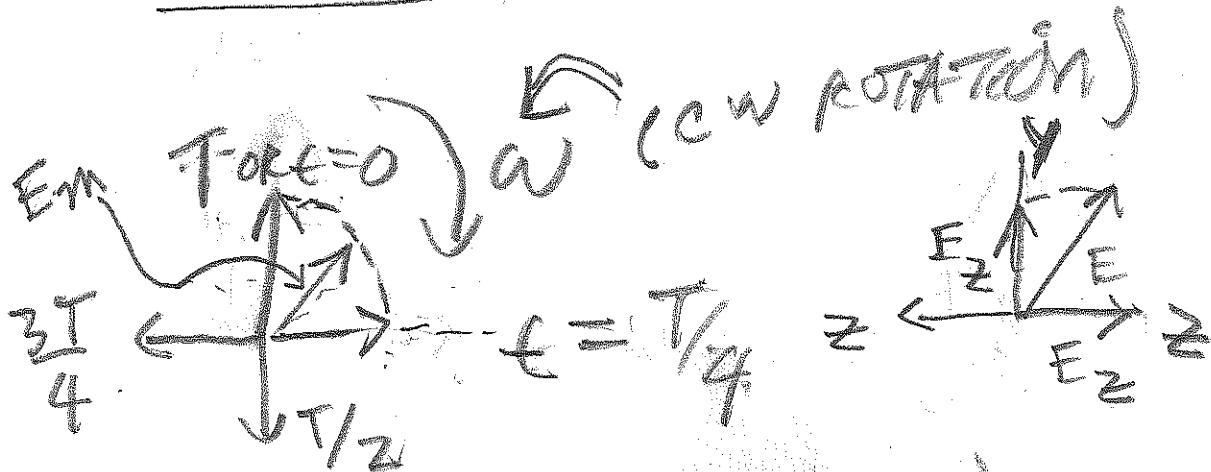
↙ means \vec{E} \parallel PAGE

θ_p = POLARIZATION
(Brewster's angle)

analogy: ROCKS SKIPPING ON WATER



CIRCULAR POLARIZATION



$$E_y = E_m \sin(90^\circ - \omega t)$$

$$E_z = -E_m \cos(90^\circ - \omega t)$$

note: $90^\circ = \pi/2$

$$\omega = \frac{2\pi}{T} \cdot t ; T = \text{PERIOD}$$

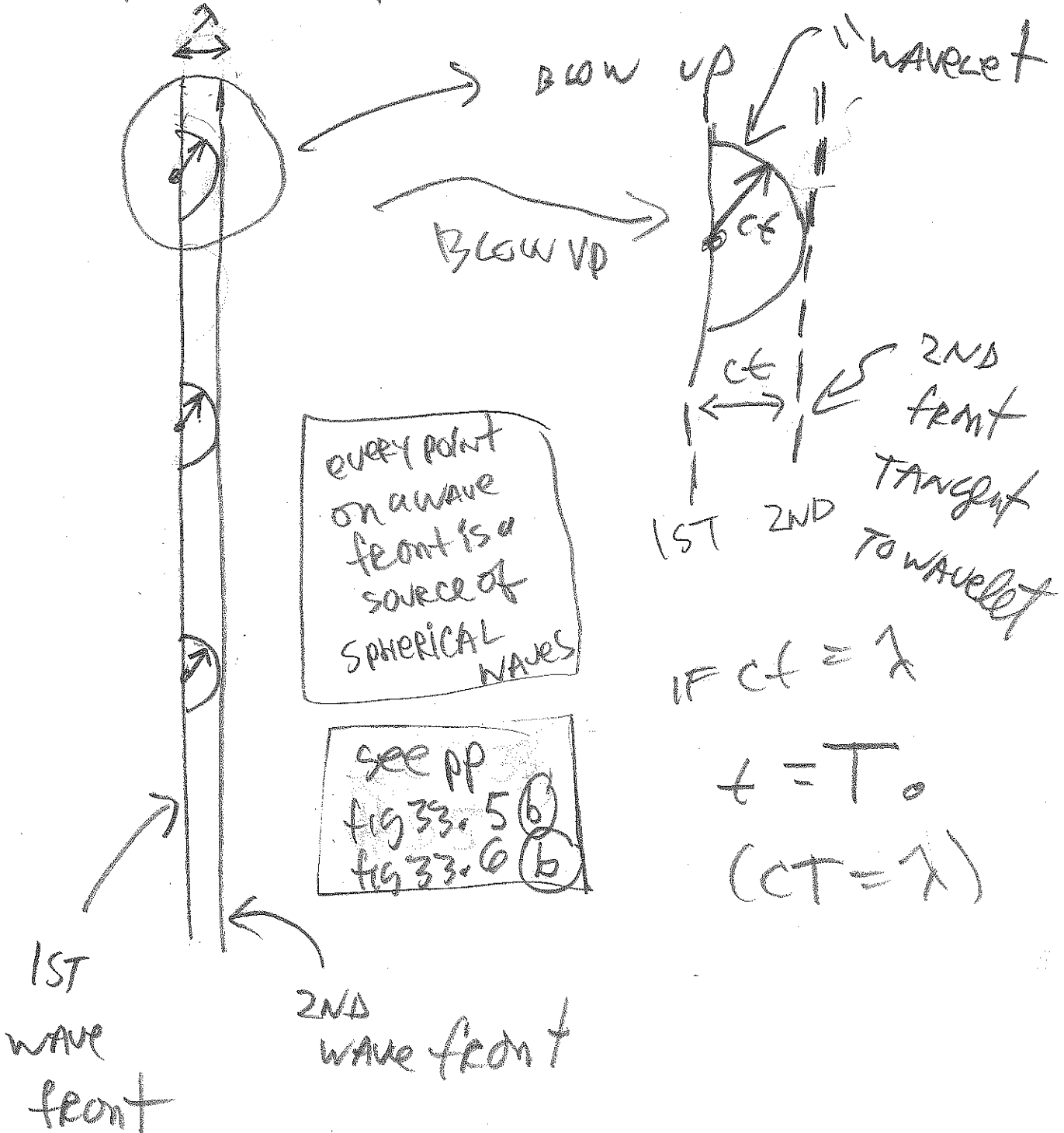
note $E_y^2 + E_z^2 = E_m^2$

$$E_m = \sqrt{E_y^2 + E_z^2}$$

CIRCULAR
 POLARIZED
 LIGHT:
 E_y and E_z
 are $\pi/2$ (90°)
 out of phase.

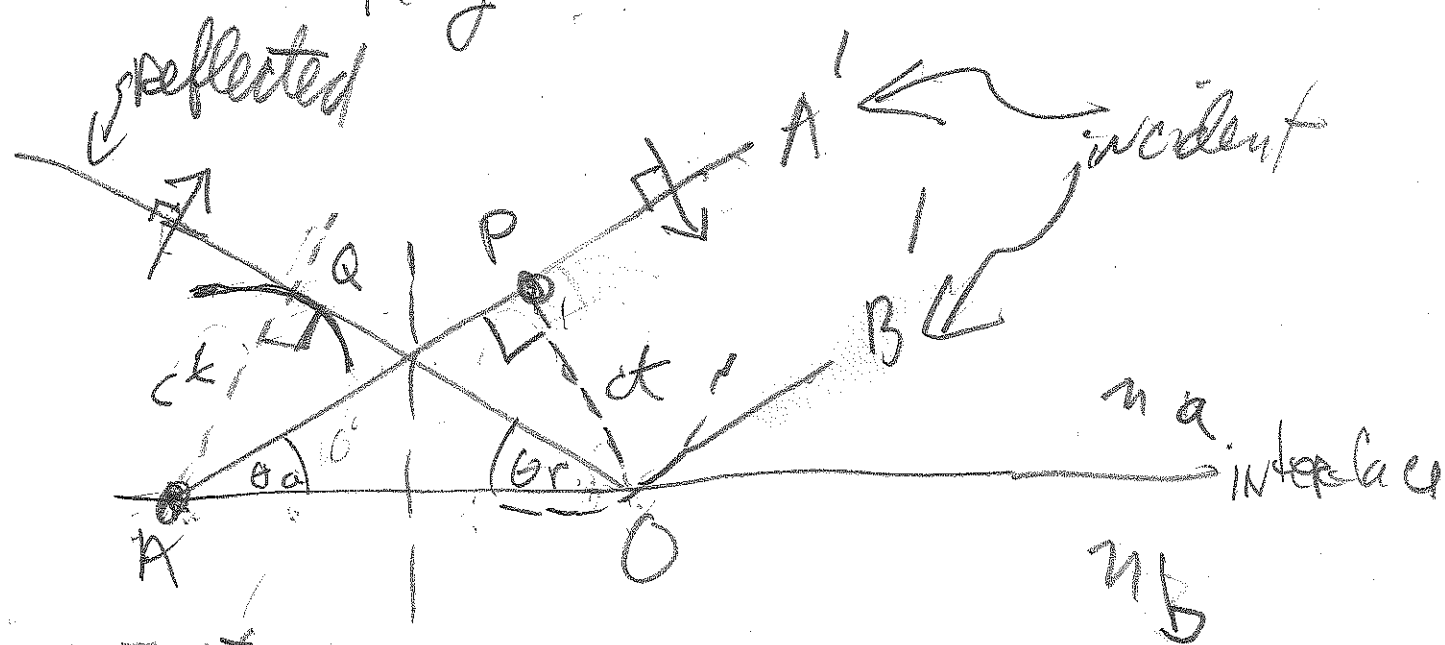
HUYGENS principle

4



(5)

fig 33.35 (c)



$$\cos \theta_r = \frac{AQ}{AO}$$

$$\cos \theta_a = \frac{AQ}{AO}$$

NORMAL line

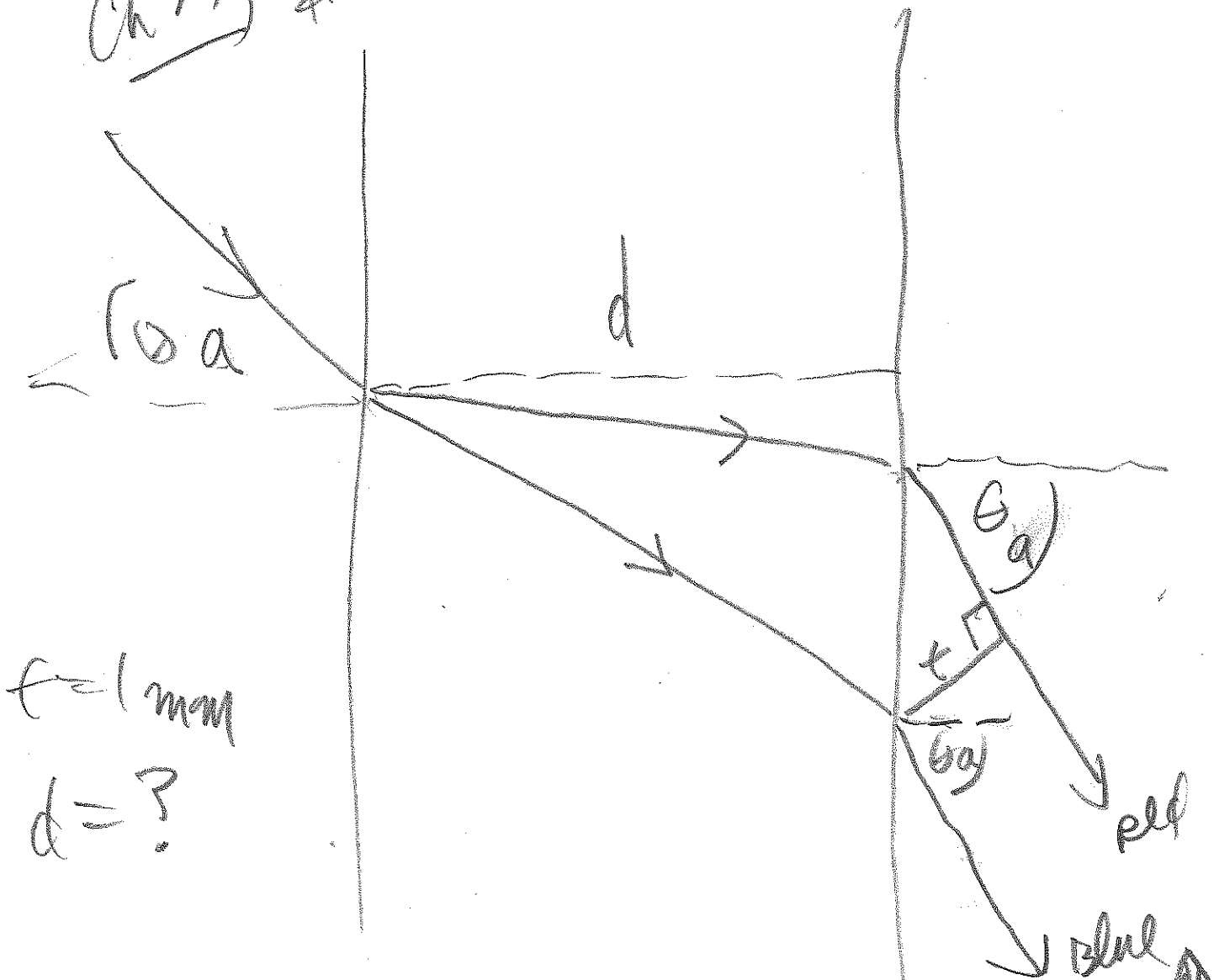
$$\frac{\cos \theta_r}{\cos \theta_a} = 1$$

$$\theta_a = \theta_r$$

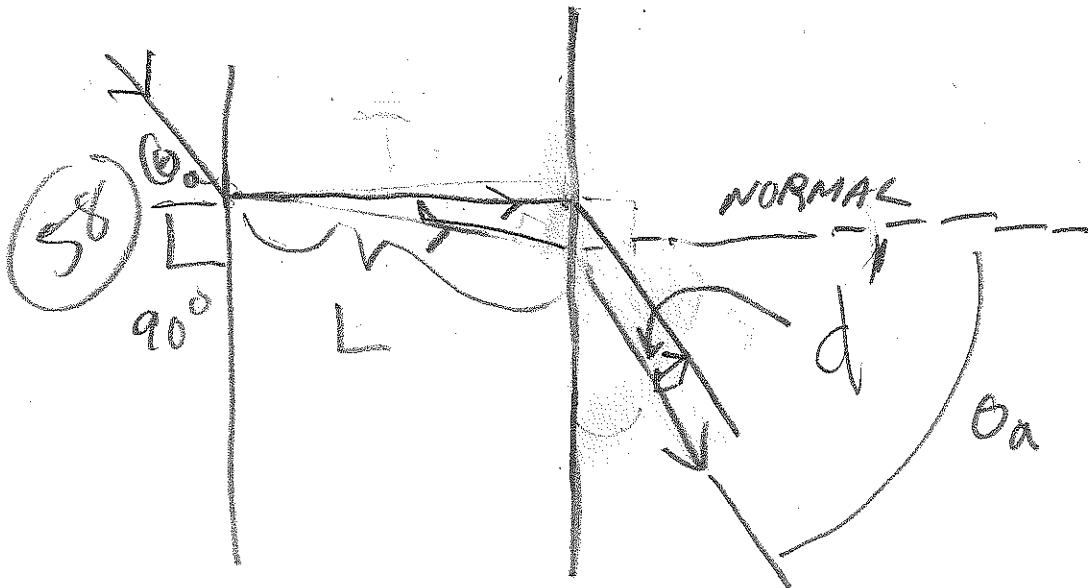
LOOK AT THIS FOR 10 MINUTES!
 YOU CAN SHOW $\theta_a = \theta_r$
 (LAW OF REFLECTION)

after that, study fig. 33.36 (b)

Ch 33, #60: use # 58



$f = 1 \text{ mm}$
 $d = ?$



from 58,
 Red/blue
 emerge
 w/ same
 θ_a

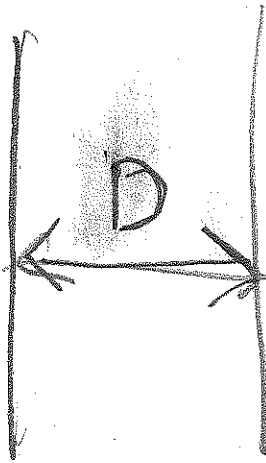
23.60

USE #58, SUBTRACT BOTH DS

$$t = |d'_{\text{blue}} - d'_{\text{red}}| = 1 \text{ mm.}$$

FIND D SUCH THAT:

$$|d'_{\text{blue}} - d'_{\text{red}}| = 1 \text{ mm.}$$



D = THICKNESS