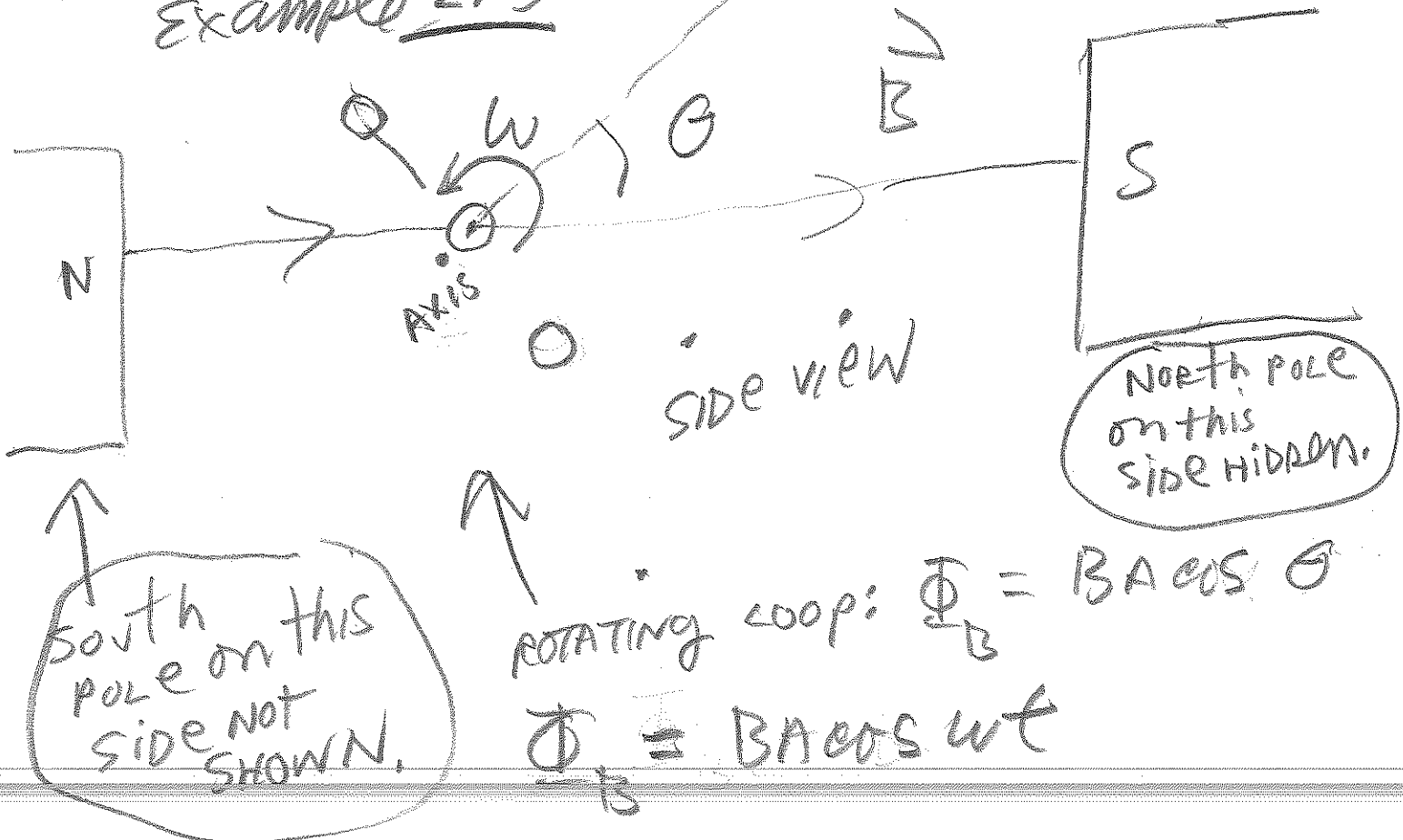


CH 29

4-28-14 4B

* AC Generators, induced electric fields (HARD DRIVES, HYBRID CAR wheels, AIRPLANE engine crankshafts, ...)

Generator at * HYDROELECTRIC DAM =
NORMAL line
Example 29.3

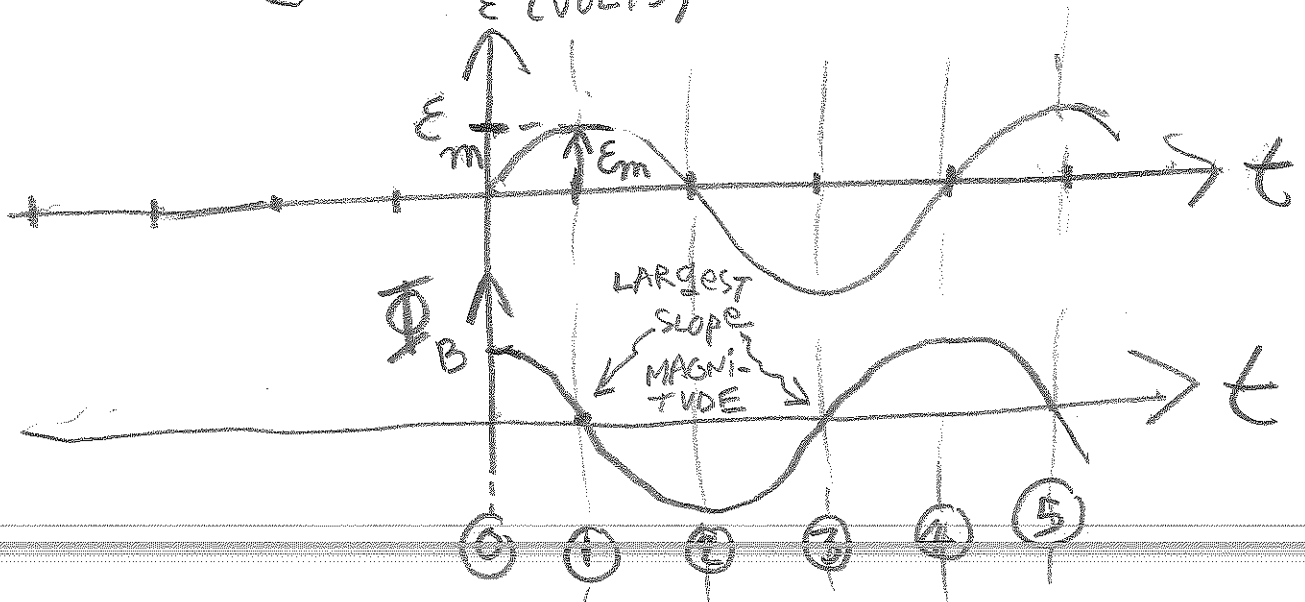


$$\mathcal{E} = - \frac{d\Phi_B}{dt}$$

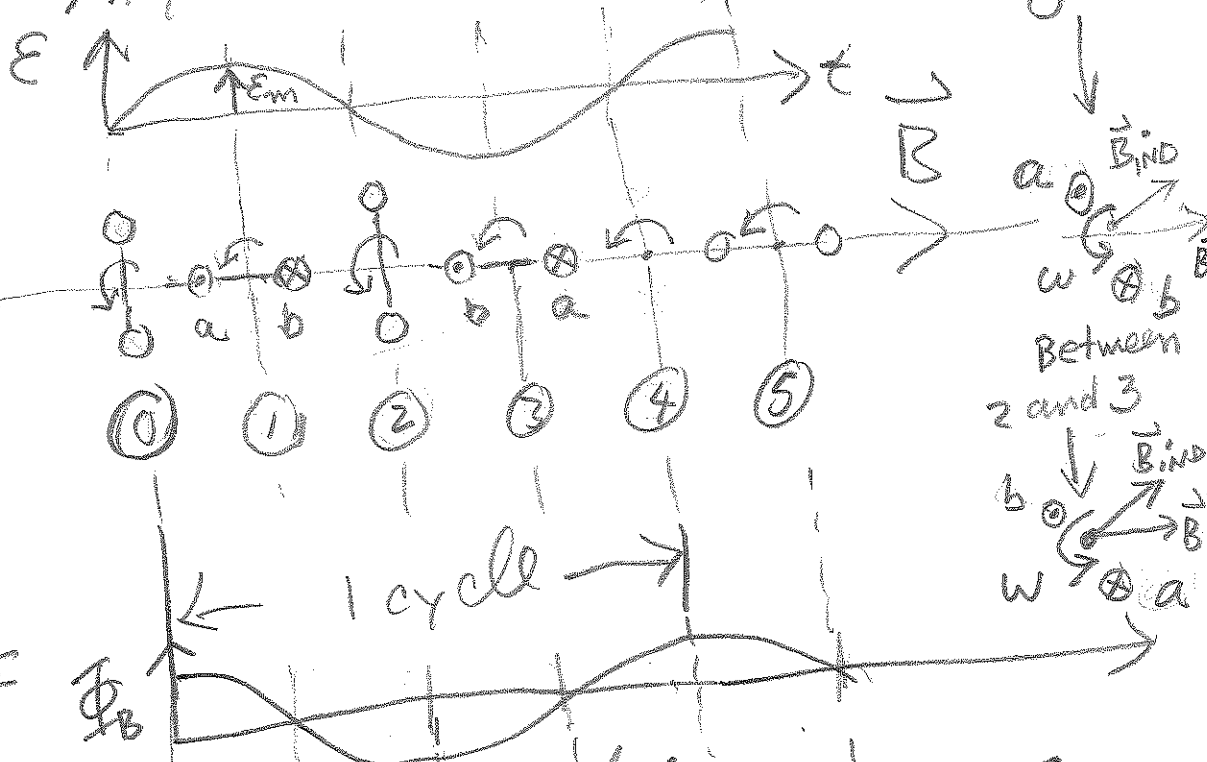
indicates opposition to change in magnetic flux; \mathcal{E} acts to oppose change in flux.

$$\mathcal{E} = - \frac{d(BA \cos \omega t)}{dt}$$

$$\mathcal{E} = \omega B A \sin \omega t = \mathcal{E}_m \cdot \sin \omega t$$



PHYSICAL ACTUAL OF LOOP



Legend:
 SIDE VIEW OF LOOP

 ↑
 PLANE OF LOOP

LOOP

 SIDE VIEW

 CLOSER

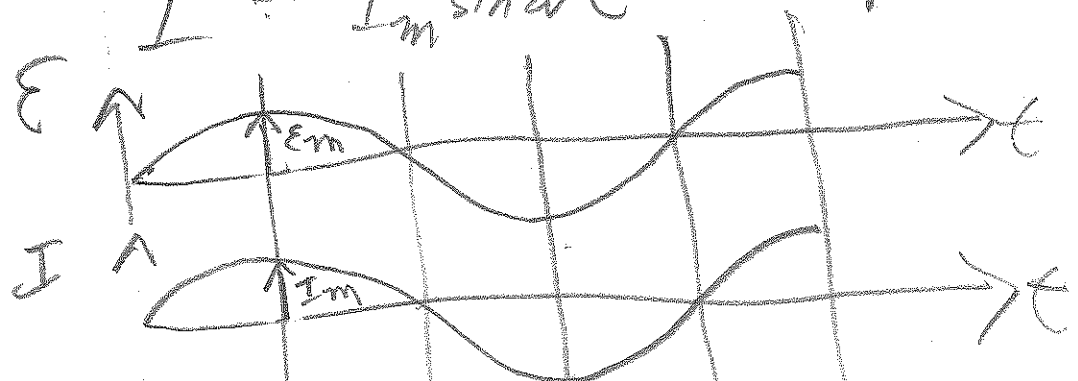


NOTE: current in wire loop is

$$I = \frac{\epsilon}{R} = \frac{\epsilon_m \sin \omega t}{R}$$

R = RESISTANCE OF LOOP

$$I = I_m \sin \omega t$$



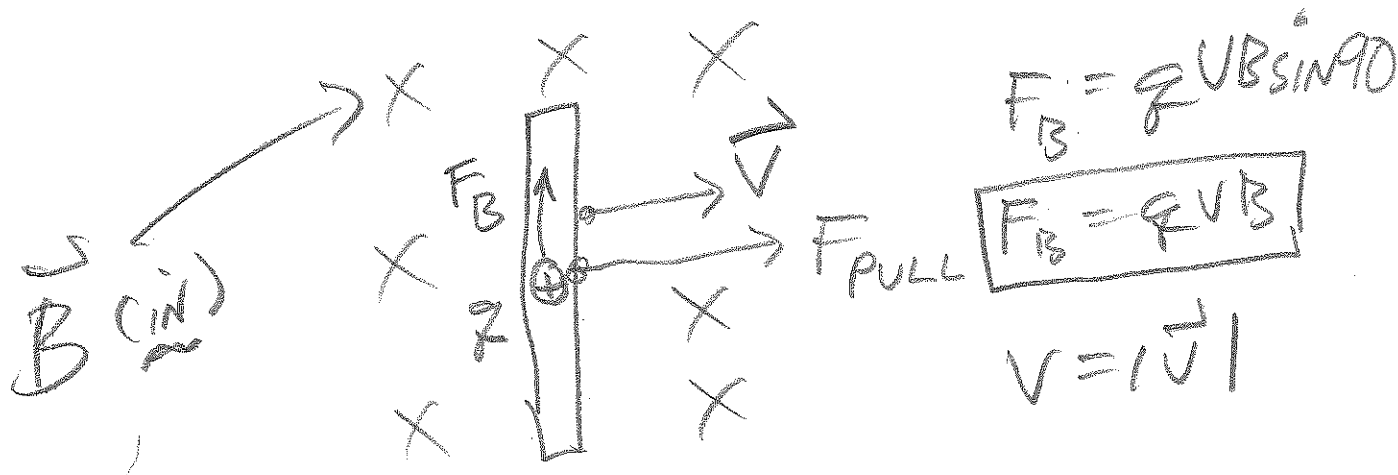
AC current with changing direction in loop *

* see discussion on commutators

Section 29.4

Motional EMFs

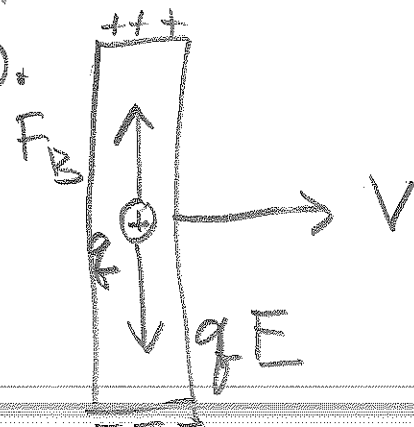
suppose you pull on a
conducting piece of metal
in a magnetic field



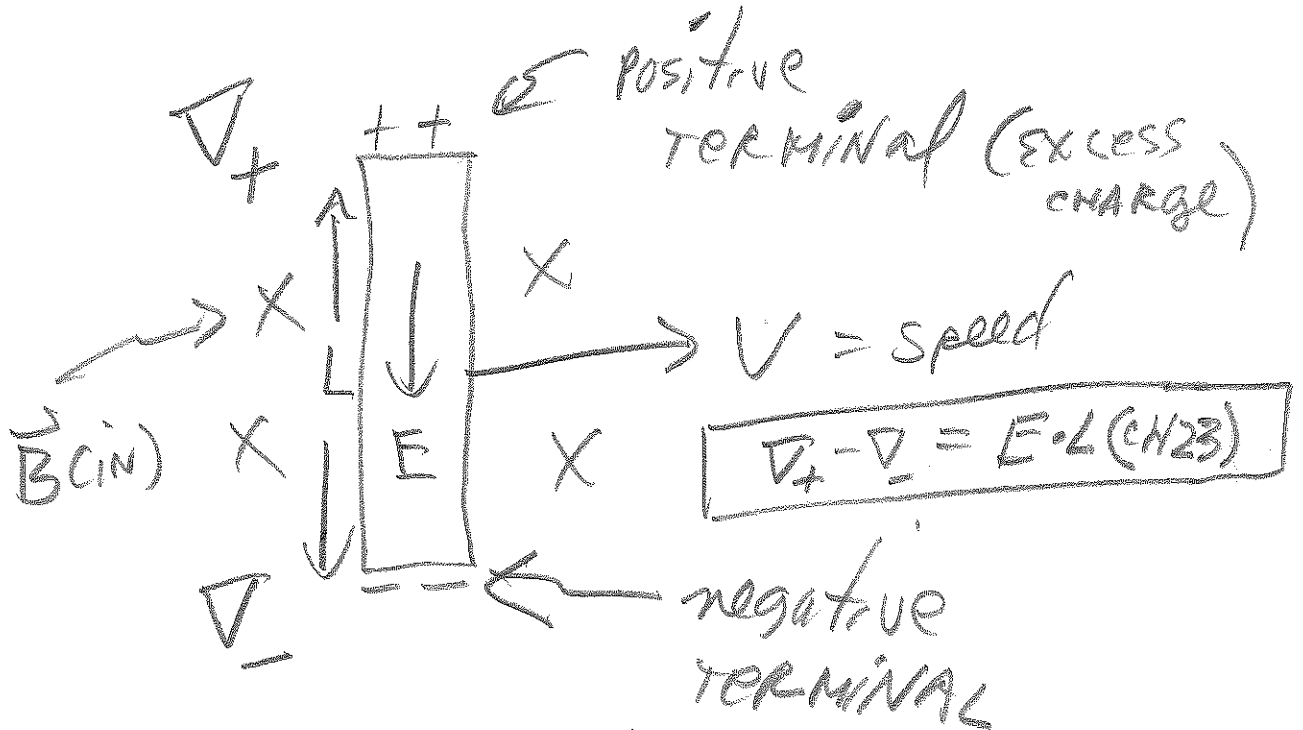
as charges (q) move up, top
becomes +ve, bottom negative
until $q\vec{E} + \vec{F}_B = 0$.

thus, $\vec{F}_{net} = 0$.

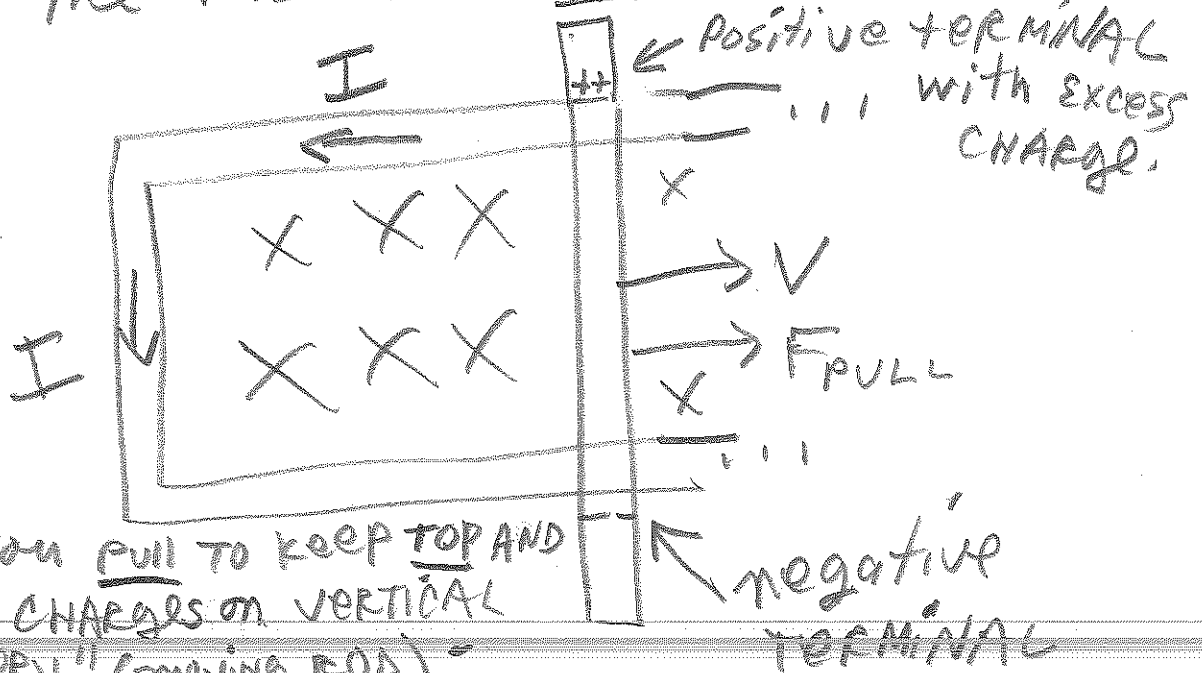
so $qE = qvB$
 $E = vB$



ROD ACTS like a battery:

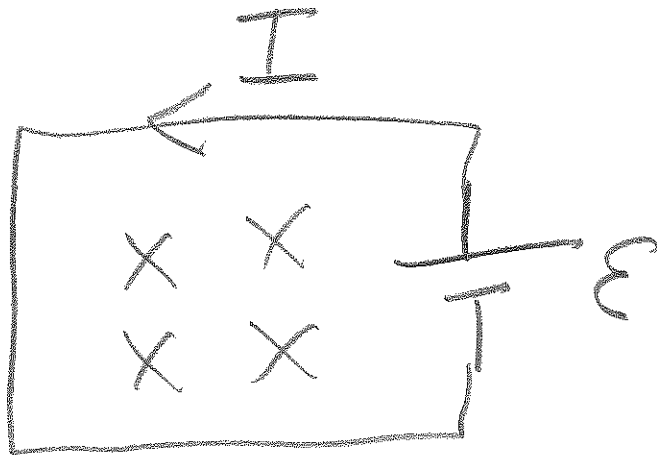


NOW PUT THIS "BATTERY" on a stationary, U-shaped conductor in the FIELD to complete a circuit



NOTE: you PULL TO KEEP TOP AND BOTTOM EXCESS CHARGES ON VERTICAL "battery" (moving ROD)

Equivalent picture:

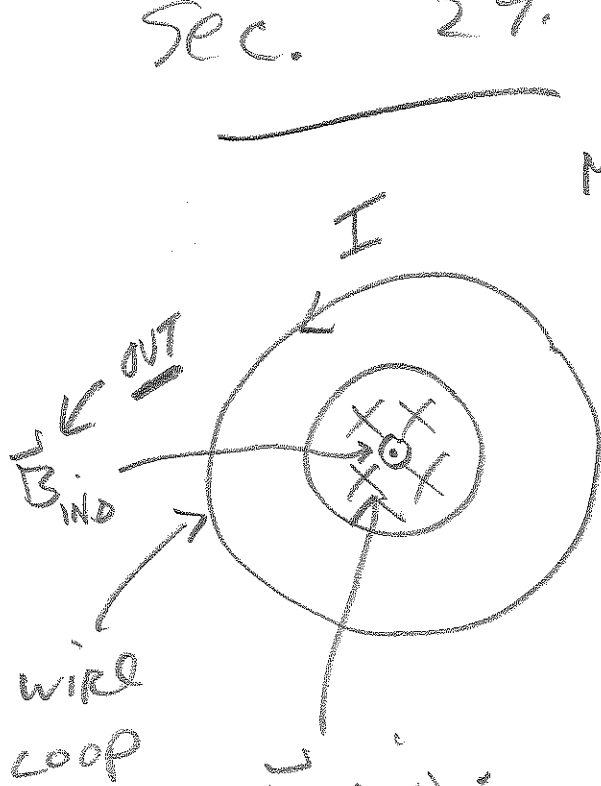


$$\mathcal{E} = E \cdot L = B \cdot v \cdot L$$

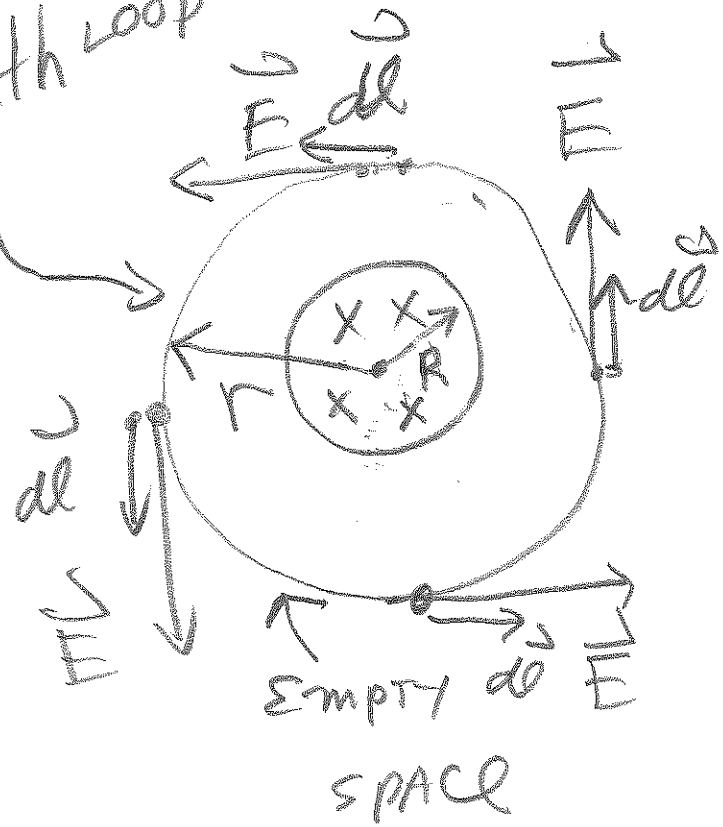
same result as

lecture 4-23-14!

Sec. 29.5

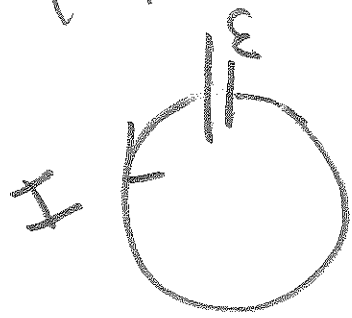


MATH LOOP



\vec{B} (IN);
 $|\vec{B}|$ increases

$$|\mathcal{E}| = A \left| \frac{dB}{dt} \right|$$



$$|\mathcal{E}| = A \left| \frac{dB}{dt} \right|$$

and $|\mathcal{E}| = \oint_{loop} \vec{E} \cdot d\vec{l}$

$$\oint \vec{E} \cdot d\vec{l} = \int E dl \cos 0 = E \int dl = E(2\pi R)$$

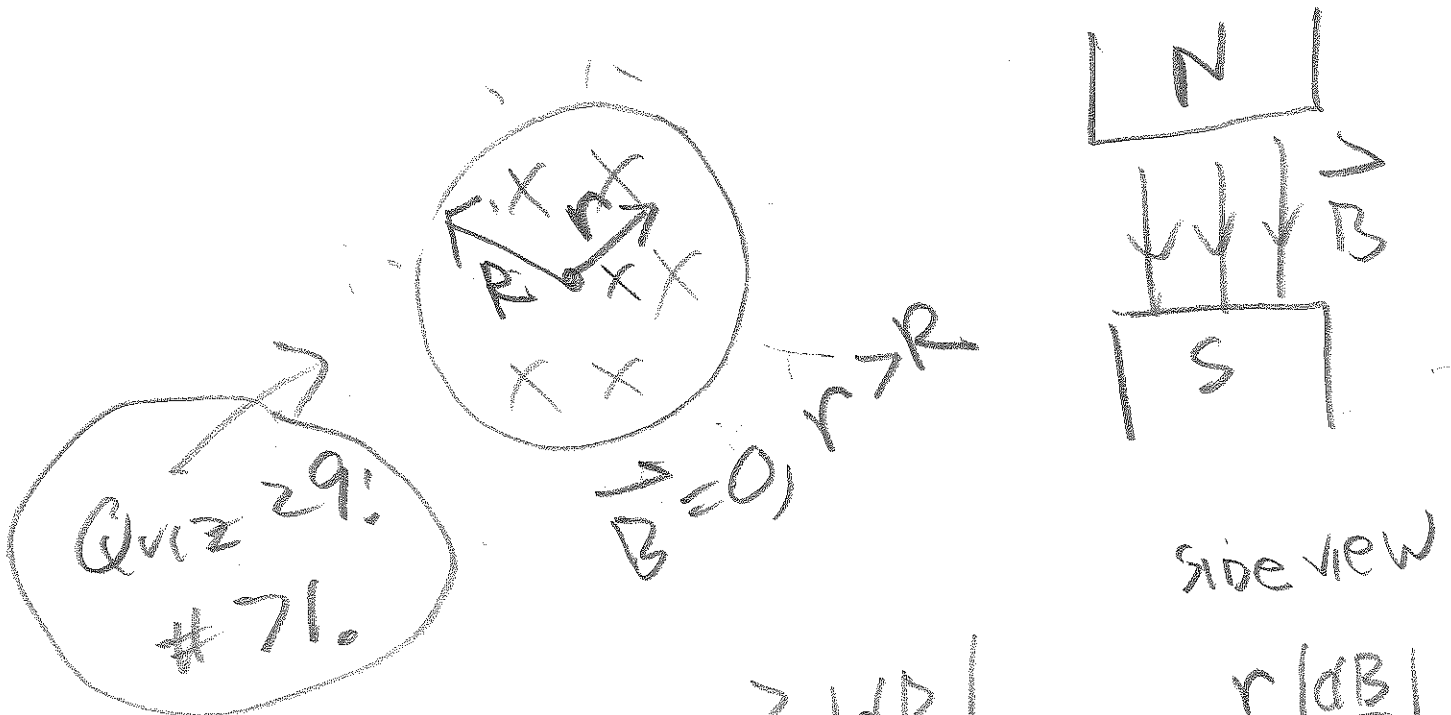
$$A \left| \frac{dB}{dt} \right| = E(2\pi R)$$

$$\pi R^2 \left| \frac{dB}{dt} \right| = E(2\pi R)$$

$$E = \frac{R^2}{2\epsilon} \left| \frac{dB}{dt} \right| \propto \frac{1}{r}$$

$(r \geq R) \quad E \propto \left| \frac{dB}{dt} \right|$

"curl" result

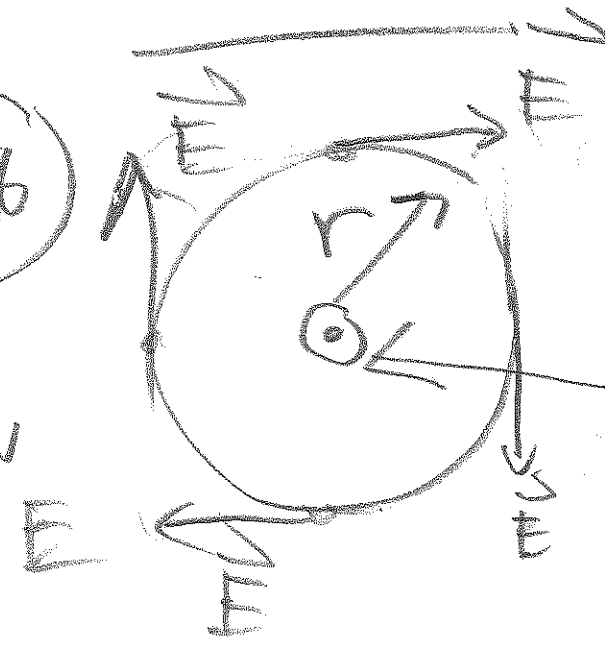


$$E(\text{at } r) = \pi r^2 \left| \frac{dB}{dt} \right| \Rightarrow E = \frac{r}{2} \left| \frac{dB}{dt} \right|$$

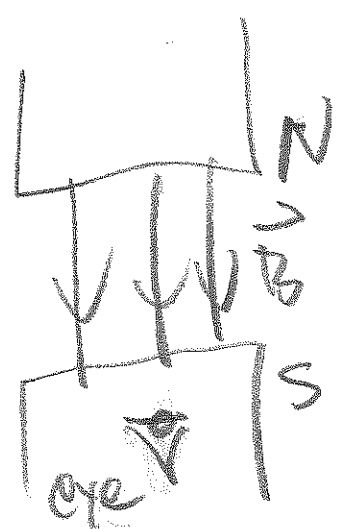
$(r \leq R)$

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28
eye
view



\vec{B} (OUT) and $|\vec{B}|$ decreasing



$$E(2\pi r) = \pi r^2 \frac{dB}{df}$$

$$E = \frac{r}{2} \frac{dB}{df}$$