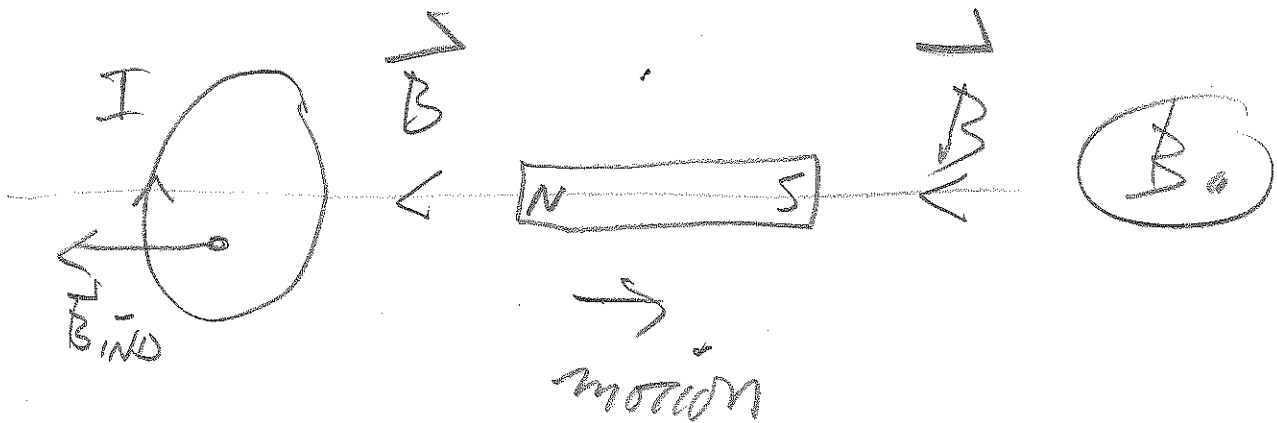
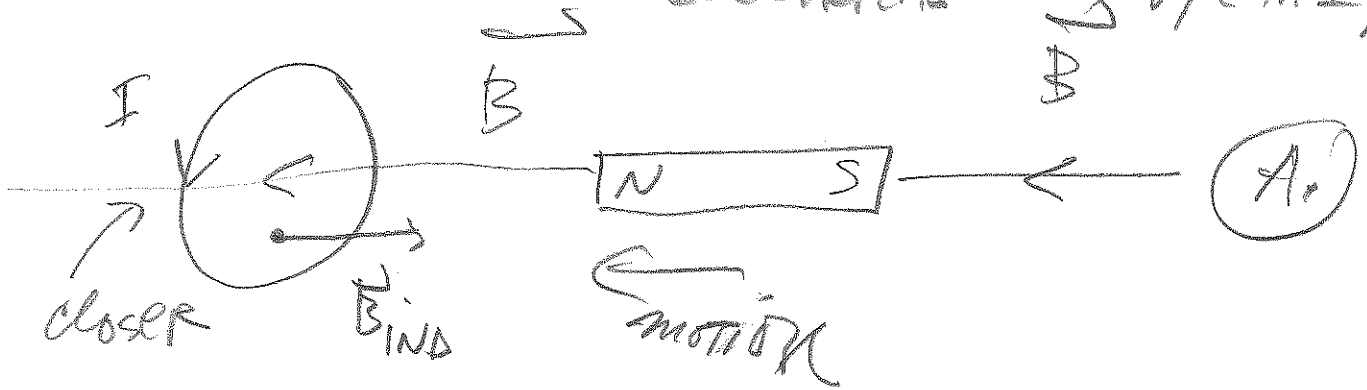
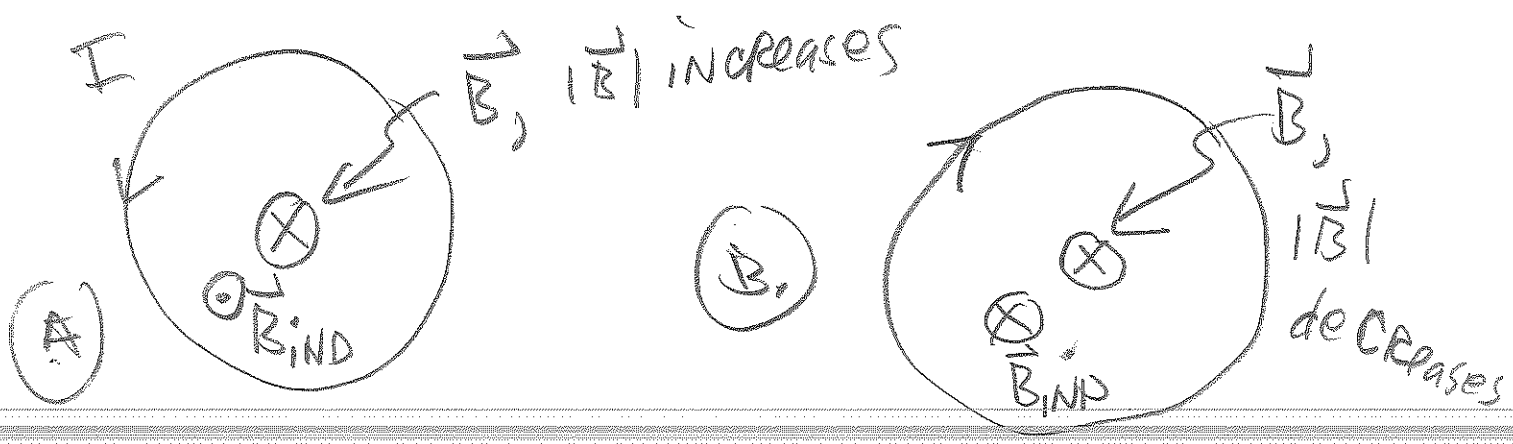


CH 29 QB 4-25-19

fig 29.1 : mechanical energy (motion) converted to ELECTRICAL energy (via I)

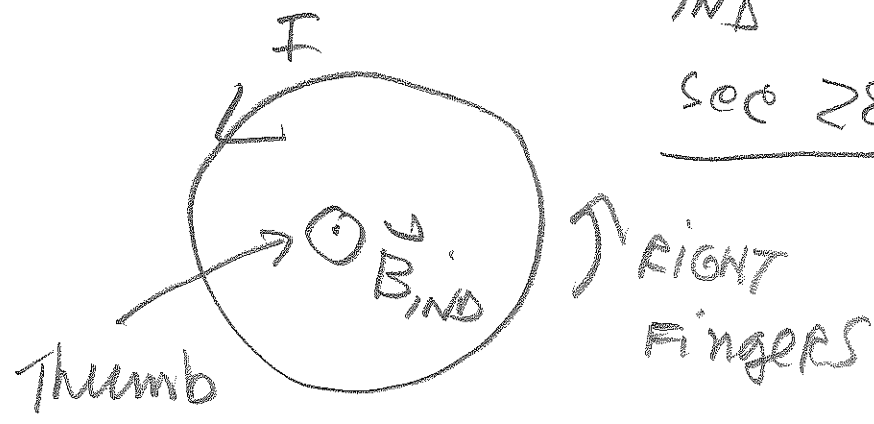


FRONT VIEWS

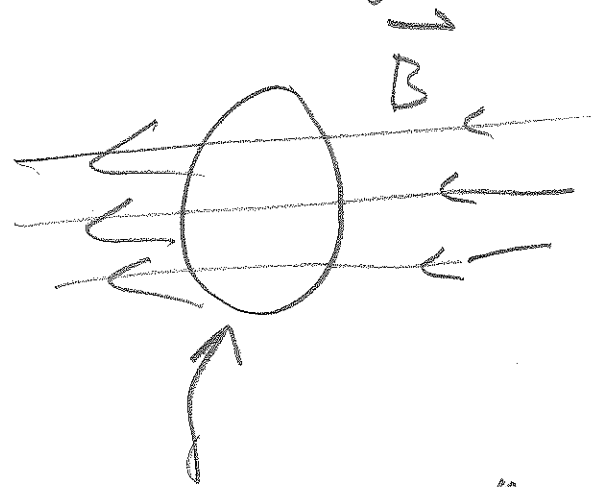


NOTE: CH 28 helps with
I and \vec{B}_{IND} = see

see 28.5.



Flux: Fig. 29.3, Fig. 29.4.



LOOP, AREA A

$$\Phi_B = B \cdot A,$$

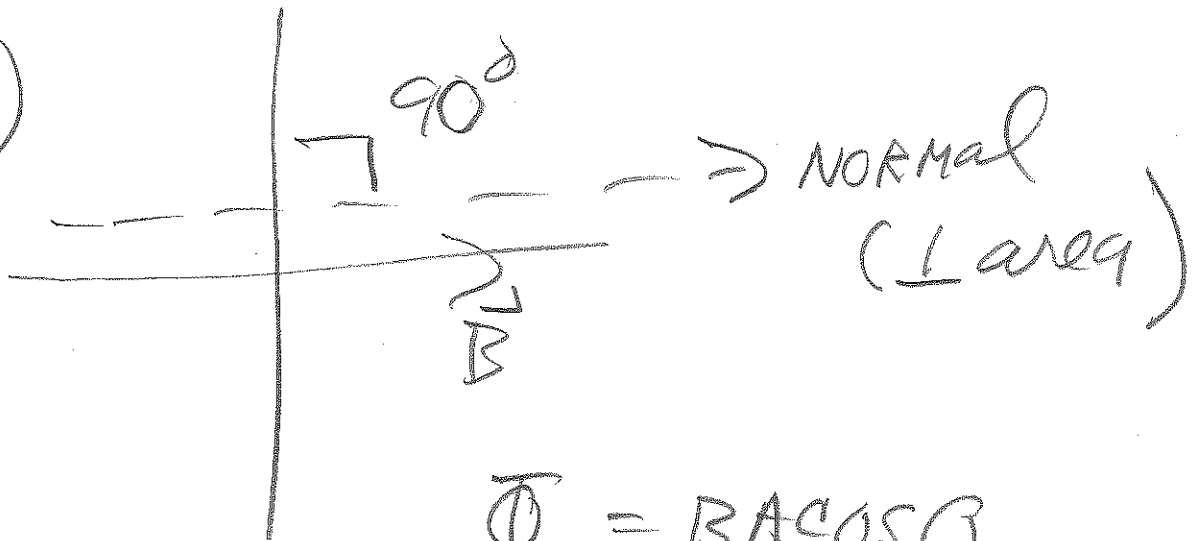
$$B = |\vec{B}|$$

magnitude

Flux: Fig 29.4

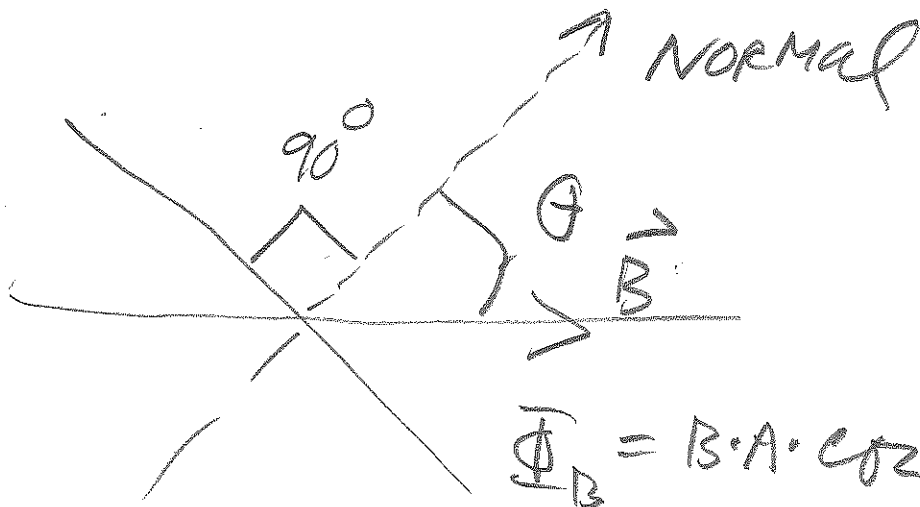
SIDE VIEWS

(i)



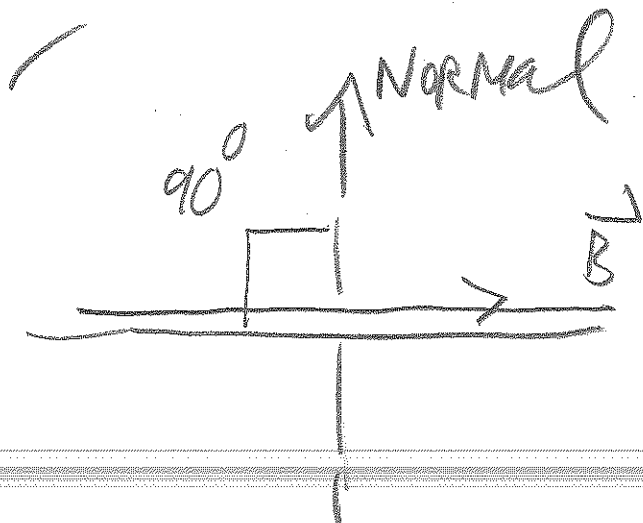
$$\Phi_B = BA \cos 0$$

(ii)



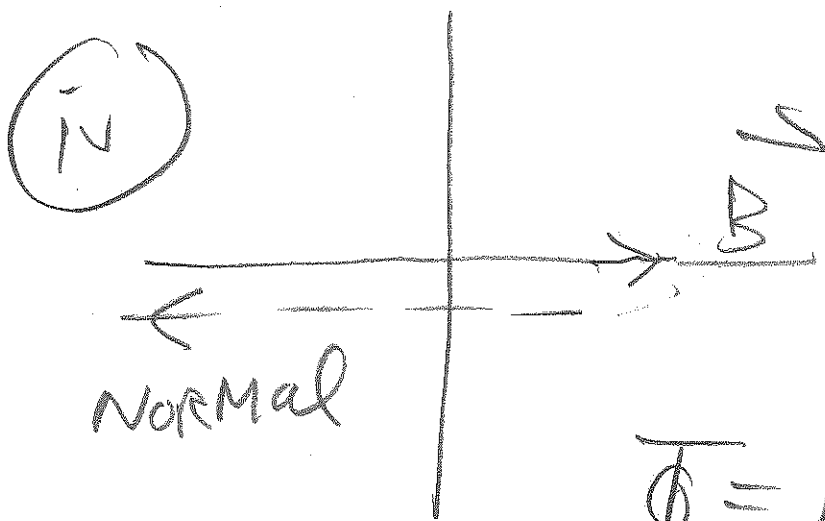
$$\Phi_B = B \cdot A \cdot \cos \theta < BA$$

(iii)



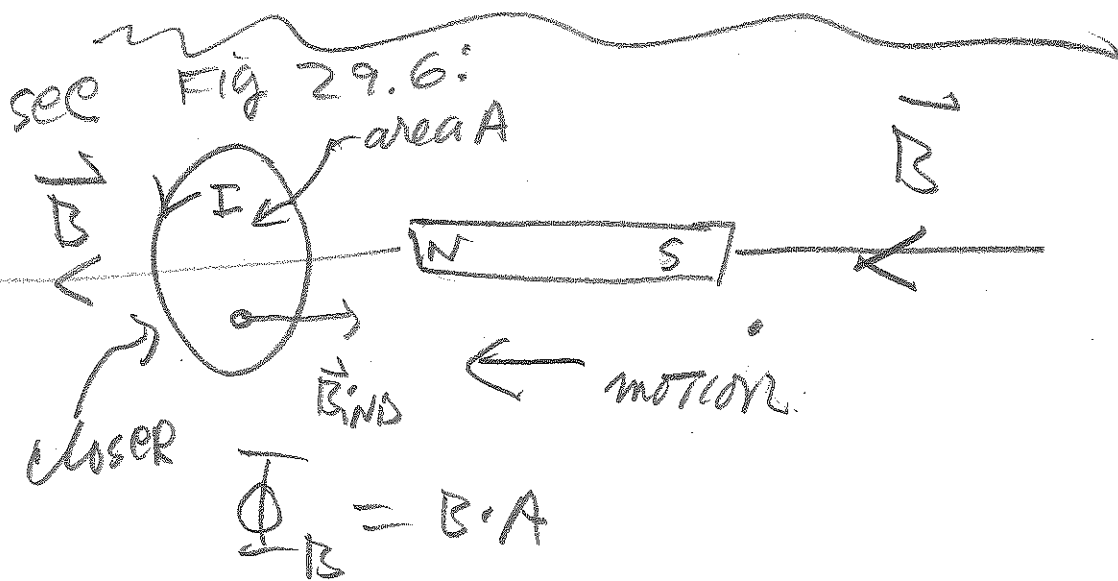
$$\Phi_B = BA \cos 90$$

$$= 0$$

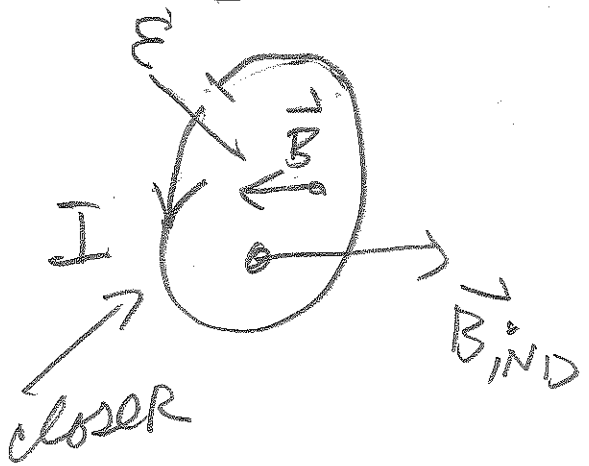


$$\Phi_{\vec{B}} = BA \cos 180^\circ$$

$$= -B \cdot A$$

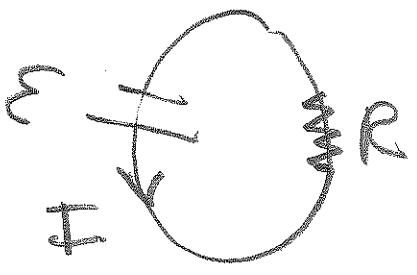


FARADAY'S MODEL:



$$\mathcal{E} = \left| \frac{\Delta \Phi_B}{\Delta t} \right| \text{ steady STATE.}$$

$$\mathcal{E} = \left| \frac{d\Phi_B}{dt} \right| \text{ general}$$



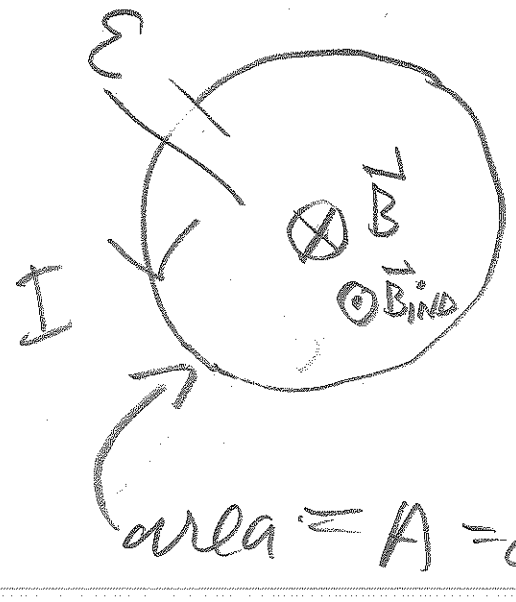
NOTE: $I = \frac{|\mathcal{E}|}{R}$
 $R = \text{RESISTANCE}$

FRONT VIEW

$$\Phi_B = B \cdot A$$

$$|\mathcal{E}| = \left| \frac{d(BA)}{dt} \right|$$

$$= \left| A \frac{dB}{dt} \right|$$

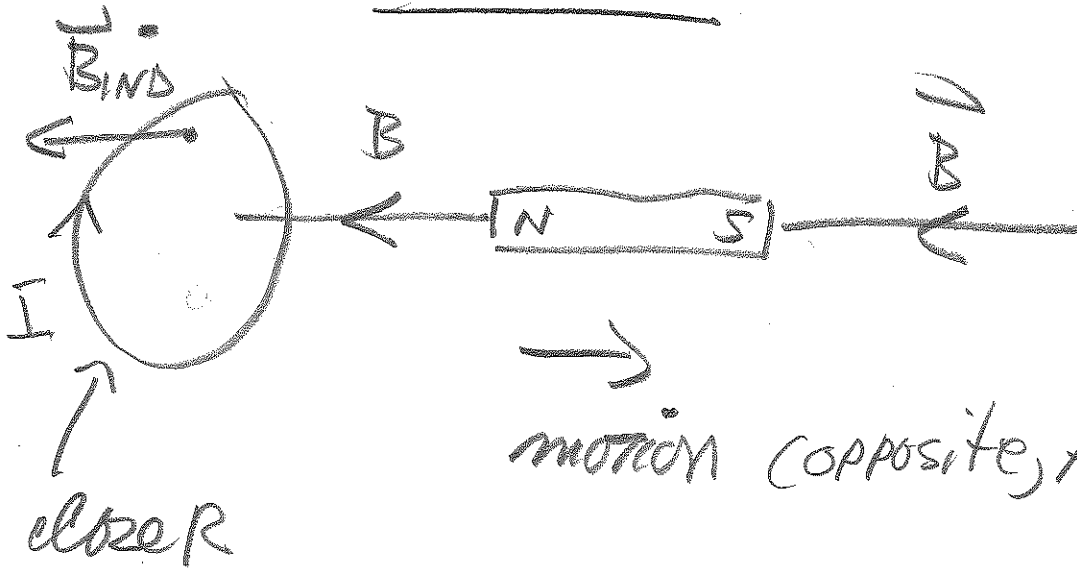


$|\vec{B}|$ INCREASES

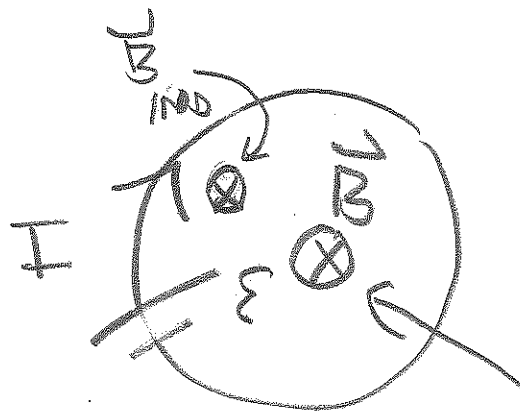
$$|\mathcal{E}| = \left| \frac{d\Phi_B}{dt} \right|$$

area = A = constant

Example:



FRONT VIEW



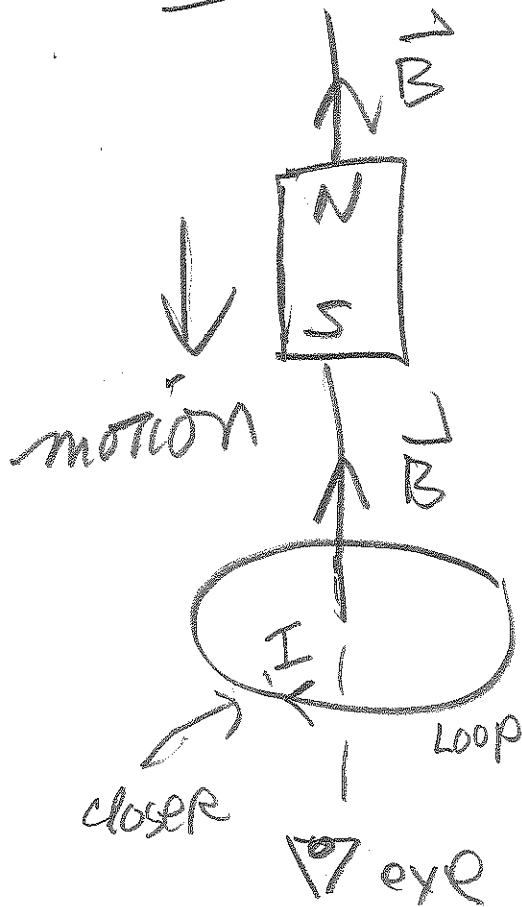
$$|\mathcal{E}| = \left| A \frac{dB}{dt} \right|$$

$|B|$ decreases

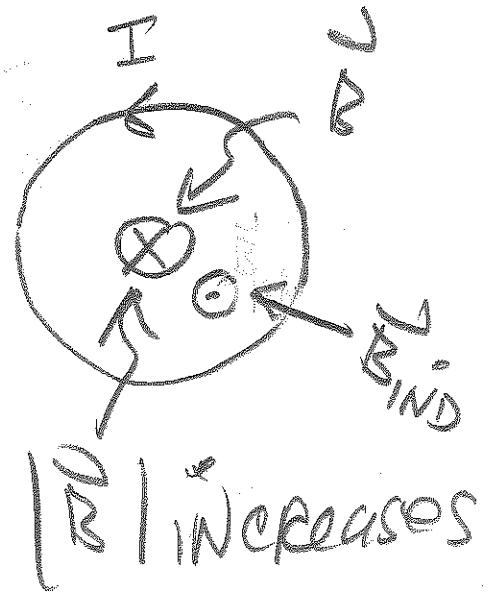
See Fig 29.14

Example

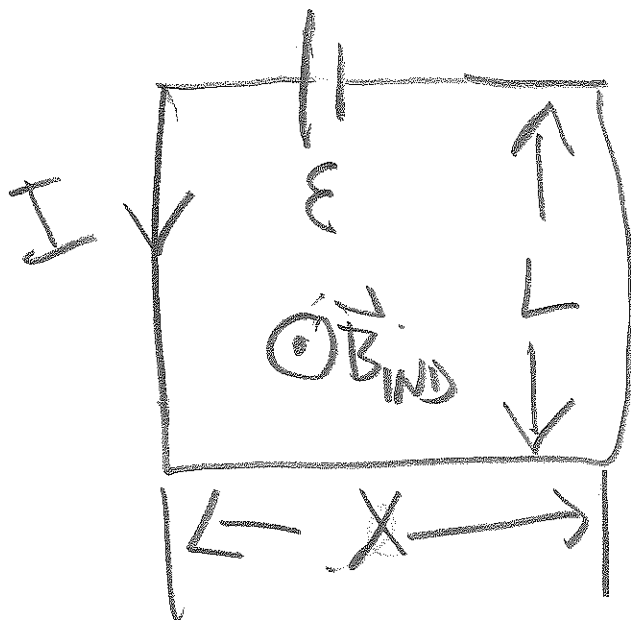
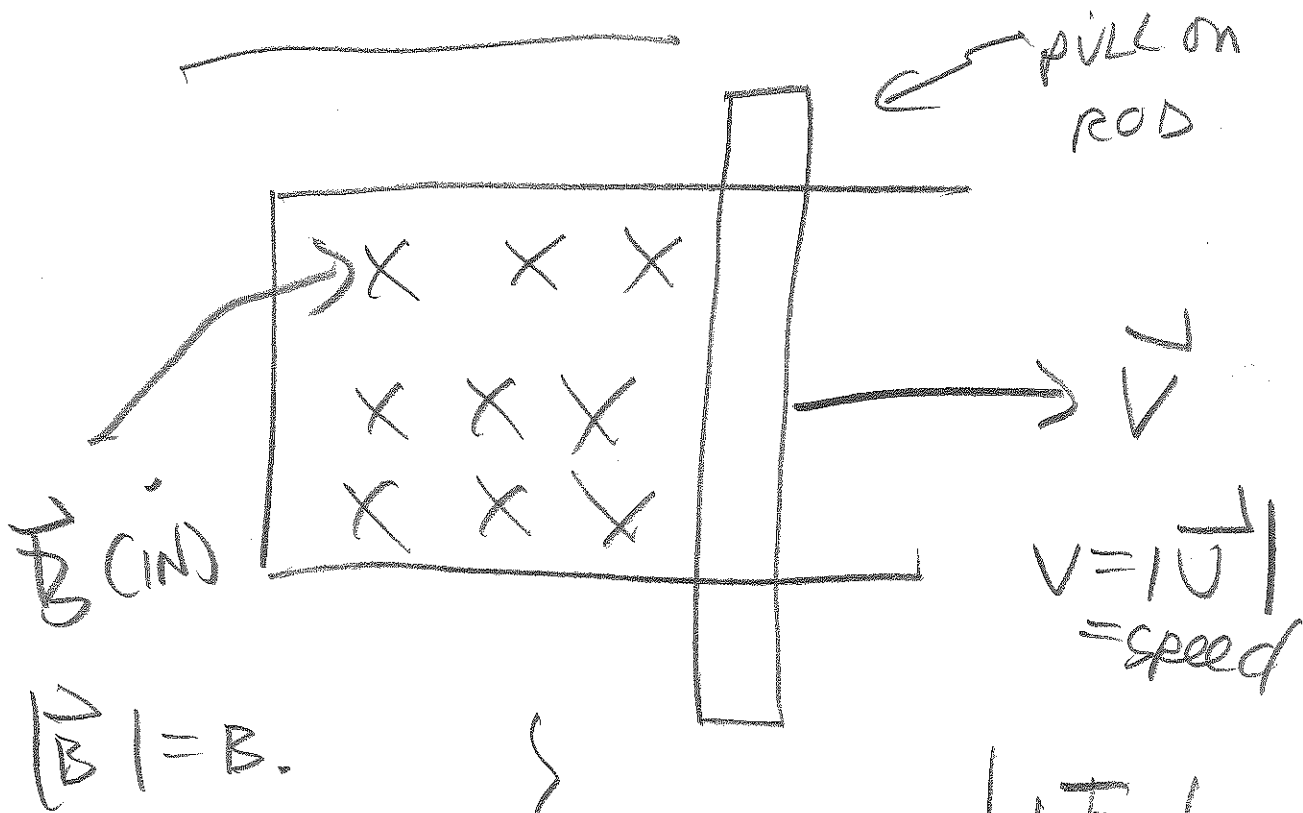
Fig 29.14



eye view



Ex. 29.4



$$|\mathcal{E}| = \left| \frac{d\Phi_B}{dt} \right|$$

$$\Phi = B \cdot l \cdot x$$

$$|\mathcal{E}| = \left| \frac{d(Blx)}{dt} \right|$$

$$= Bl \cdot \frac{dx}{dt} = Blv$$