

2-3-14

(1)

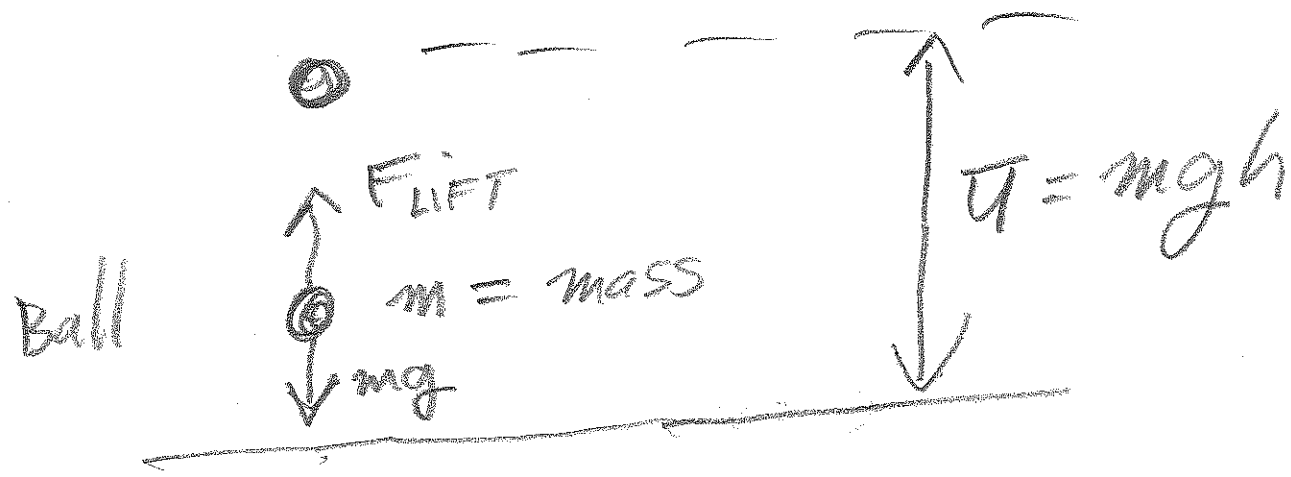
CH 23 ELECTRIC POTENTIAL

Electrical potential energy

sec 23.1

REVIEW POTENTIAL ENERGY

ALA CHT.



$U =$  WORK YOU DO AGAINST

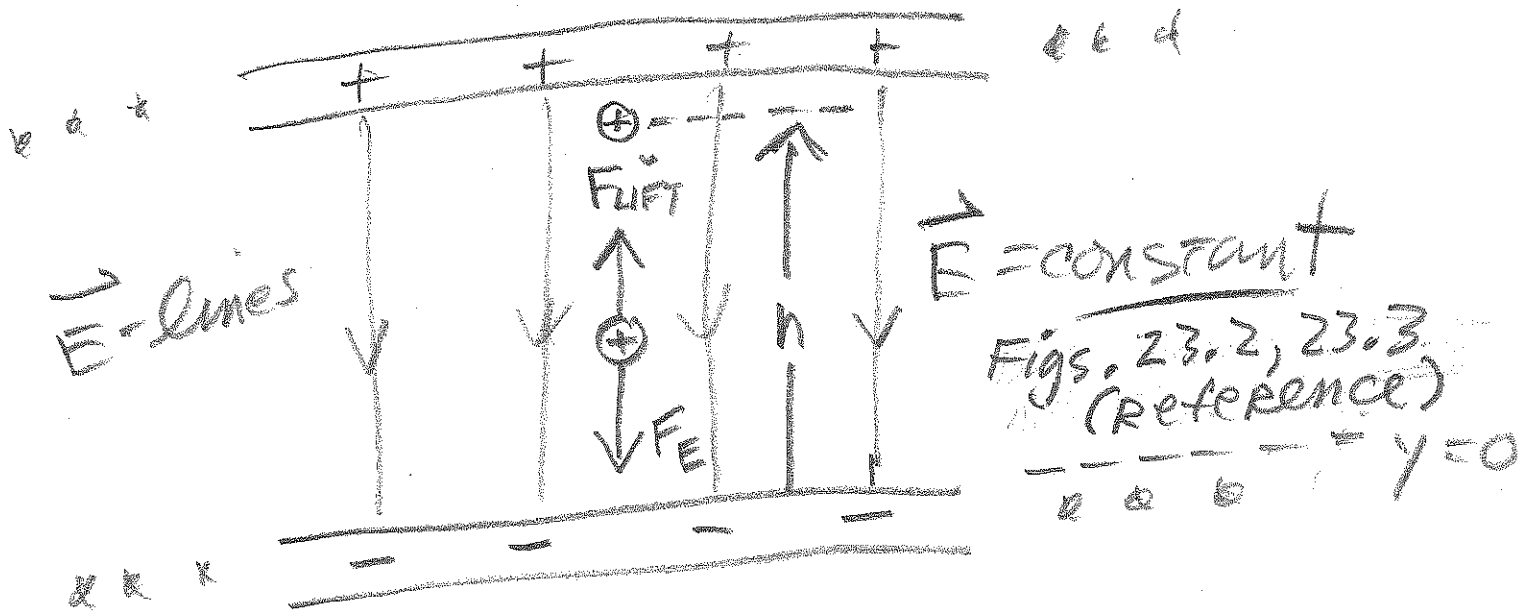
GRAVITY TO LIFT BALL  
from  $y=0$  TO  $y=h$ .

ASSUME  $a_y = 0$ ;

$F_{\text{LIFT}} = mg$ . THUS,  $W_{\text{YOU LIFT}} = F \cdot h$ .

$$W_{you} = mgh \equiv U$$

sec 23.1



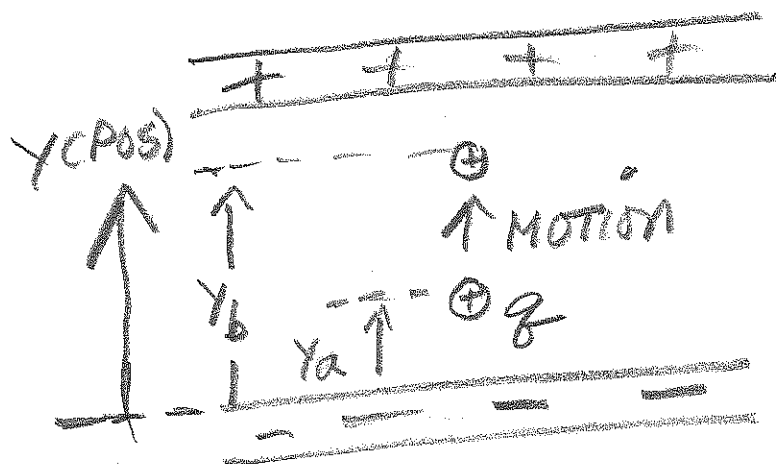
"LIFT" a charge  $q$  from  $y=0$   
to  $y=h$ .

NOTE:  $F_E \equiv q \cdot E$

$$W_{you} = F_E \cdot h = q \cdot E \cdot h$$

$$U = q \cdot E \cdot h \quad \text{EQN. 23.4}$$

$$\text{EQN. 23.5}$$



$$\Delta U = q \cdot E \cdot (y_b - y_a)$$

note:  $W_{\text{field}} = -\Delta U = q E (y_a - y_b)$

NOTE: IF  $q > 0$

(A)  $\Delta U > 0$  when you move  $q$  AWAY from - plate TOWARD + plate.

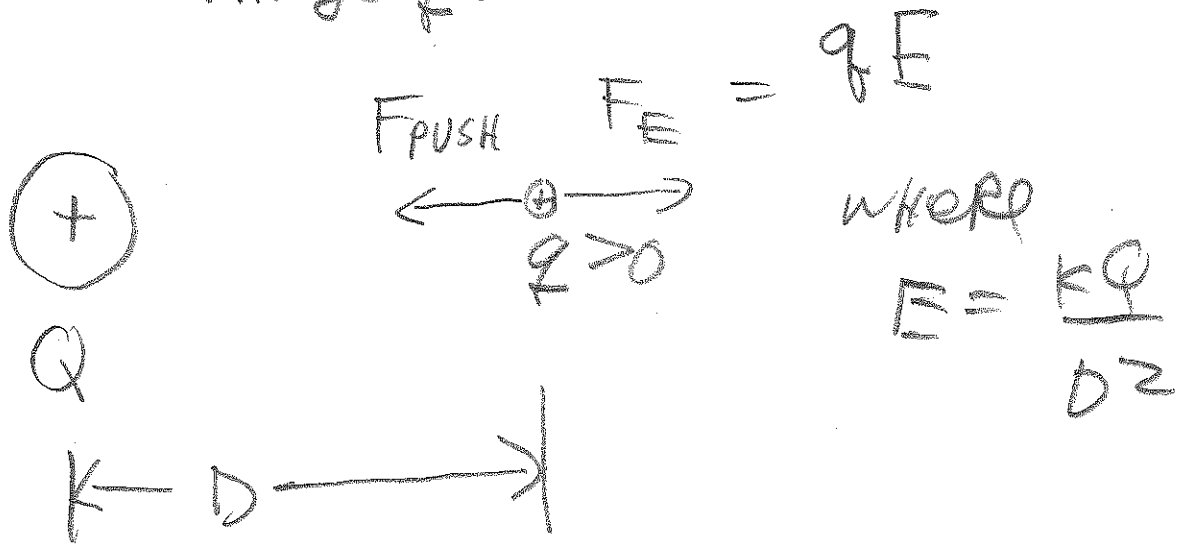
(B)  $\Delta U < 0$  when you move  $q$  TOWARD - plate from + plate.

sec 23.1

4

potential energy of 2

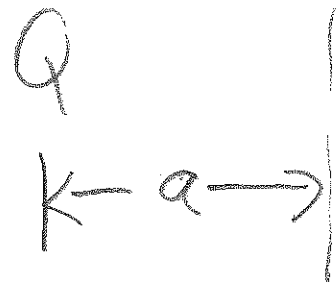
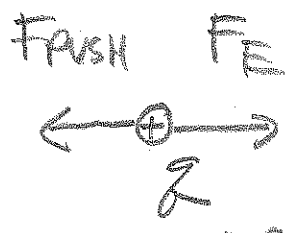
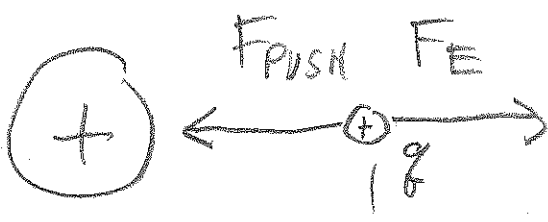
point charges. Let  $q$   
be a point charge near another  
charge  $Q$ .



$$F_E = q \cdot E = q \cdot \left( \frac{kQ}{D^2} \right)$$

$$F_E = \frac{kqQ}{D^2}$$

(5)



NOTE:  $F_E = \frac{kqQ}{a^2}$  AT  $a$ .  
 $F_E = \frac{kqQ}{b^2}$  AT  $b$ .



$$W_{you} \neq F_{PUSH} \cdot (b-a) = F_E \cdot (b-a)$$

Reason:  $F_E$  and  $F_{PUSH}$  depend

on distance:  $F_E = \frac{kqQ}{(\text{distance})^2}$

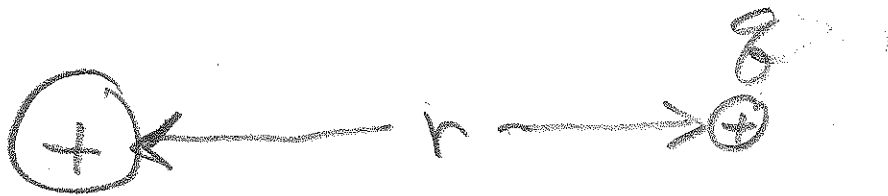
calculus RESULT (see Appendix)

$$W_{you} = kqQ \left[ \frac{1}{a} - \frac{1}{b} \right] = \Delta U = U_a - U_b$$

$$U_a = \frac{kqQ}{a}$$

$$U_b = \frac{kqQ}{b}$$

In general:

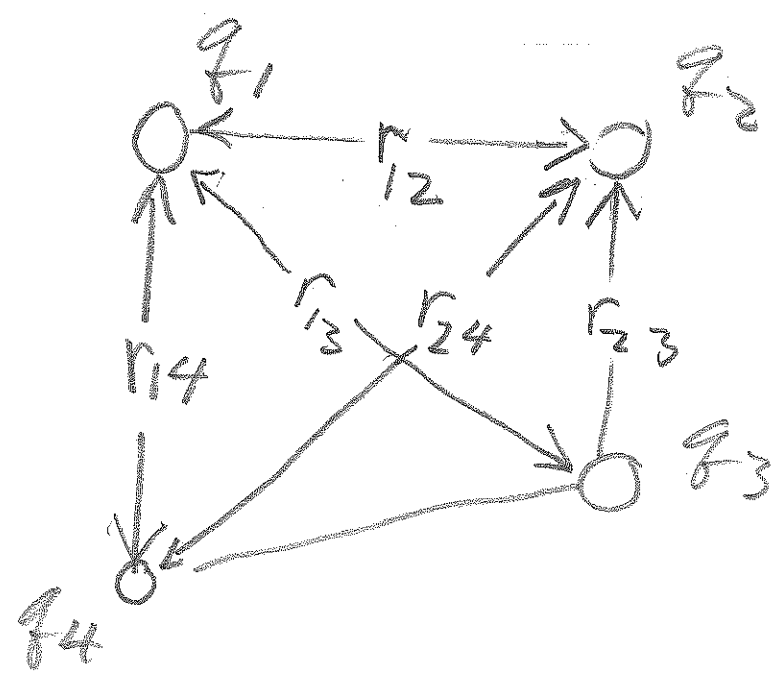


$$U = \frac{kqQ}{r} \quad \left( \text{POTENTIAL ENERGY OF 2 POINT CHARGES} \right)$$

NOTE: (i)  $\Delta U > 0$  when you move  $q$  TOWARD + CHARGE  $Q$ .

(ii)  $\Delta U < 0$  when you move  $q$  AWAY from + CHARGE  $Q$ .

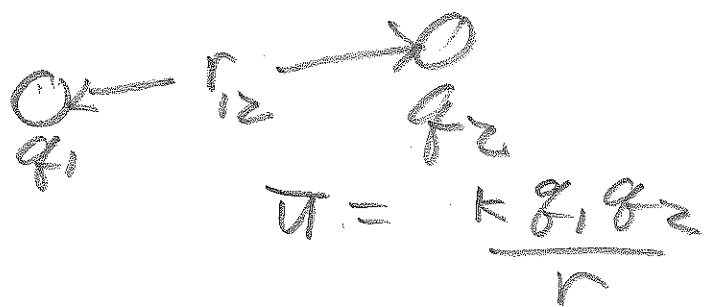
# Electric potential energy of several point charges:



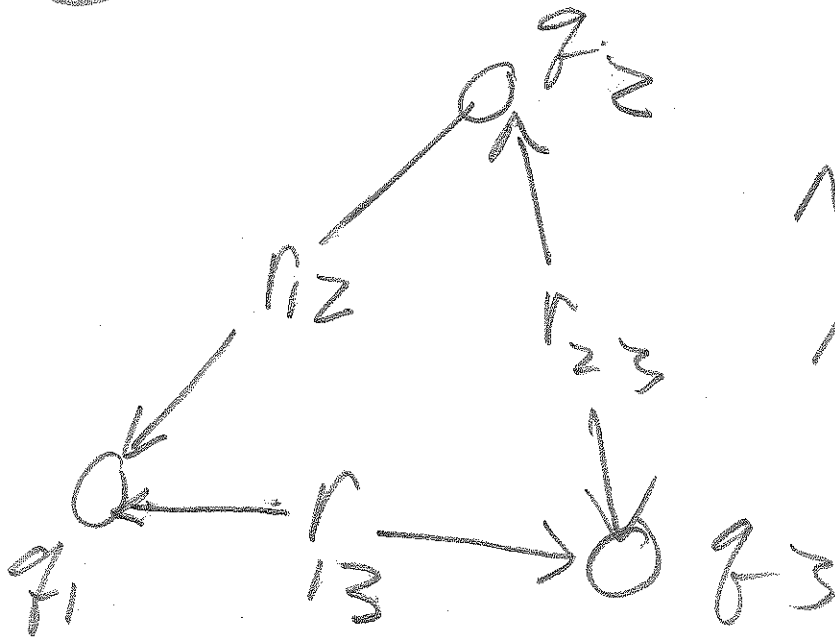
6 PAIRS: 6 TERMS in POTENTIAL ENERGY; FOR  $N$  CHARGES, THERE ARE  $\frac{N \cdot (N-1)}{2}$  PAIRS.

## EXAMPLES:

(A) 2 CHARGES  $N = 2 \rightarrow \frac{2 \cdot (2-1)}{2} = 1$  PAIR



(B) 3 particles:



$$N = 3;$$

$$\begin{aligned} \frac{N(N-1)}{2} &= \frac{3(3-1)}{2} \\ &= \frac{3 \cdot 2}{2} \\ &= 3 \text{ PAIRS} \end{aligned}$$

$$U = \frac{k q_1 q_2}{r_{12}} + \frac{k q_1 q_3}{r_{13}} + \frac{k q_2 q_3}{r_{23}}$$

(C) TRY THIS OUT FOR 4 CHARGES:  
6 PAIRS and 6 TERMS  
for  $U$ .



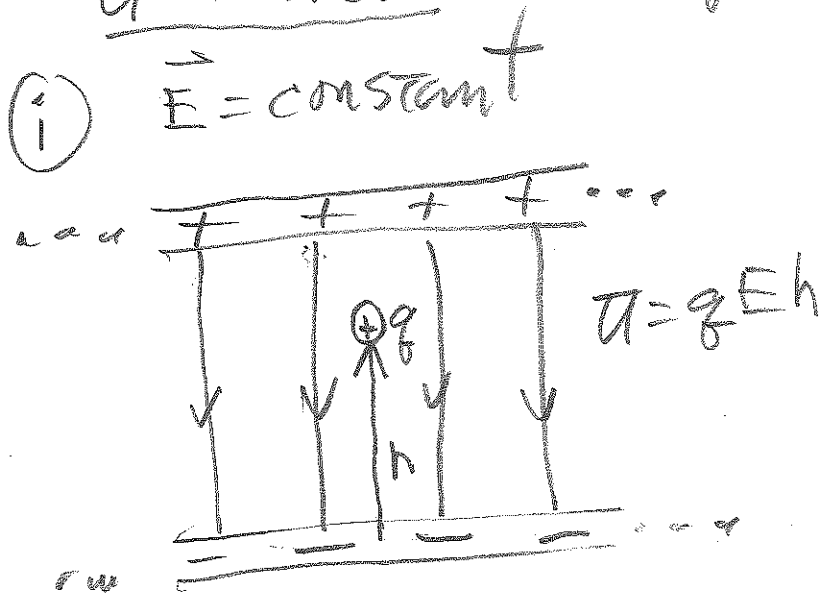
2-5-14

# Potential - Sec 23.2

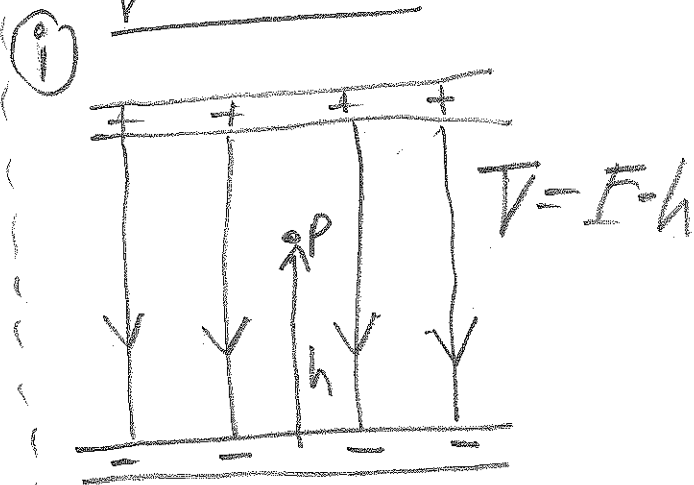
$\Delta V = \text{CHANGE IN POTENTIAL } \left[ \frac{J}{C} \right] \equiv [V]$

$\Delta V \equiv \frac{\Delta U}{q}$  ,  $q = \text{test CHARGE}$

U - view

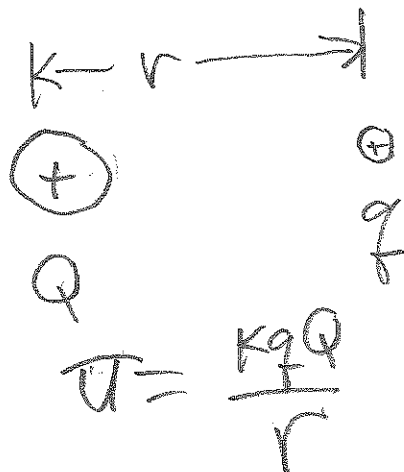


V - view

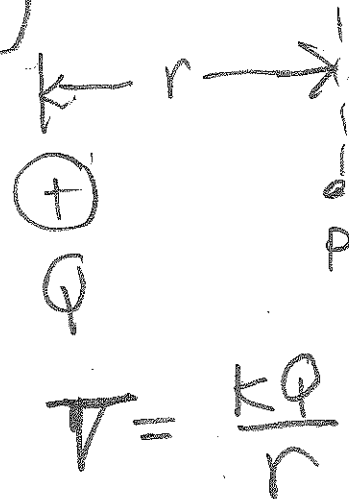


(ii)

$\vec{E} \neq \text{constant}$



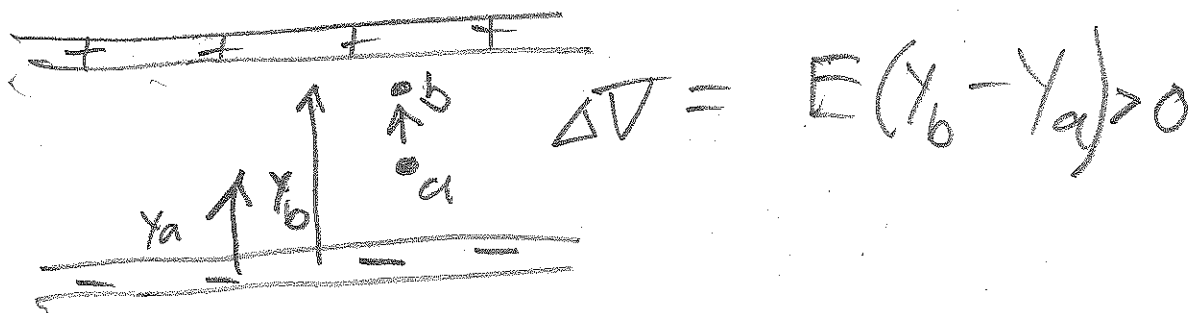
(ii)



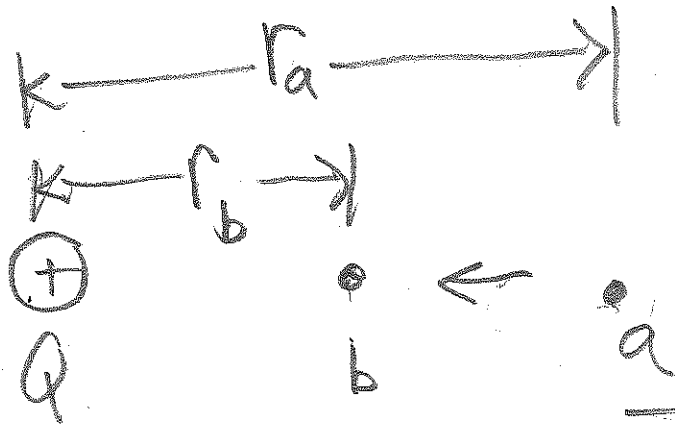
NOTE: P = POINT IN SPACE.

NOTE:

(i)  $\Delta V > 0$  as you move TOWARD + PLATE (AWAY from - plate)



(ii)



$$\Delta V = kQ \left[ \frac{1}{b} - \frac{1}{a} \right] > 0$$

$\Delta V > 0$  as you move TOWARD  $Q > 0$ .