2/3   2-26-14

These could be on Test 2

QUIZ 19   CH. 19
QUIZ 19

SAMPLE EXAM 1 SP'11

SAMPLE EXAM2 SP'12

SELECTED DISCUSSIONS TO exercises/problems BELOW.
YOU ARE RESPONSIBLE FOR ALL PROBLEMS EVEN THE ONES
WITHOUT DISCUSSIONS, WHICH ARE DESIGNED TO HELP YOU DO
RELATED EXERCISES.

CH. 19 MULTIPLE CHOICE TBA - Exercise/problems 2 , 5, 9, 10, 15, 21, 26, 27, 40, 42, 46, 49, 52, 57, 64, 65, 66

TURN IN: 2 (try 5), 10 (try 9), 15, 21, 26, 27, 40 (try 42), 52 (try 49 and 46), 57, 65 (try 64 and 66)

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* DISCUSSIONS PROVIDED.

DISCUSSIONS

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2. $Q = I*t$.

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10. $R = $ (Cu resistivity)$*L/A$ and $R' = $ (Al resistivity)$*L/A'$. $R/R' = $
(Cu resistivity)$*A'/$[(Al resistivity)$*A$] =
(Cu resistivity)$*d'^2/$[(Al resistivity)$*d^2$] = 1. Find d given d' = 3.26 mm.

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15. (a) $I = 18.5$ (A) = |change in V|/R , where $R = $ (resistivity)$*L/A$ at 20.0 degrees C. Find resistivity.

(b) 17.2 (A)= |change in V|/R' , where $R' = $ (resistivity')$*L/A$, where resistivity' =

resistivity$*$[1 + alpha$*$change in temp]; change in temp = (92.0 - 20.0) degrees C and resistivity was found in part a. Find alpha.

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21. $I = $ |change in V|/R , where R varies between and 1 k -ohm and 500 k-ohm. Set R to the lowest value (when you are wet) and I = 5.0 mA to find |change in potential| .

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26. 6.00 (V) = $I*r + I*R = I*(r + R)$. Find r given R and I.

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27. Open circuit (switch open) means I = 0. Then the voltmeter would read the voltage difference across the battery only since there is no voltage drop across the resistors r and R. That battery voltage = 3.08 (V). When switch is closed, use battery voltage to solve: battery voltage $ = I*r + I*R$ for r and R. Use 2.97 (V) = battery voltage - $I*r$. Find r from the latter equation and solve for R in the former equation. Note: I = 1.65 (A) when switch is closed.

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40. (a) $P = 540$ (W) $= V^2/R$ (b) $I = V/R$, where V is the magnitude of the voltage drop across R. (c) P$*$time$*$7.4 cents/KW-h = cost. Note: time = 1 h. Convert P = 540 (W) to (kW) = 1000 (W).

(d) $P = V^2/R$. We assume R is constant though we know it'll change as the temperature varies.

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49. (a) See Test #1, Problem 3(Sp 12) : 1/Rp = 1/40.0 + 1/90.0 so Rp = (40)$*$(90)/(40 + 90) which you should simplify.

(b) I = 120 (V)/Rp

(c) I_{90} = 120 (V)/90 and I_{40} = 120 (V)/40.

52. (a) Moving left to right on the bottom branch of circuit: $1/R_{p1} = 1/3.00 + 1/6.00$ and $1/R_{p2} = 1/12.0 + 1/4.00$.

Find $R_{p1} + R_{p2}$.

(b) Now, $60.0 \ (V) = I * (R_{p1} + R_{p2})$. Find I. Then find $I * R_{p1}$ and $I * R_{p2}$. From these latter two values you can find each of 4 currents: $I_3 = I * R_{p1} /3$, $I_6 = I * R_{p1} /6$, $I_{12} = I * R_{p2} /12$ and $I_4 = I * R_{p2} /4$.

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57. See example 11.

At top Node: $I = I_{30} + I_{20}$, where I flows through the 10.0 (V)-battery upward in the branch, and I_{30} and I_{20} flow downward in the branches for the 30 -ohm and 20.0 ohm resistor/5.00 (V)- battery, respectively.

You need two other equations from which to find I, I_{30} & I_{20}. They are, using the law that the sum of the voltage drops around an internal loop of the circuit is zero: clockwise in the left loop, $10.00 \ (V) - I_{30}*(30 \ ohm) = 0$ and counterclockwise in the right loop, $5.00 \ (V) + I_{20}*(20 \ ohm) - I_{30}*(30 \ ohm) = 0$. Note the positive term $I_{20}*(20 \ ohm)$ in the last equation due to the fact we are going counter clockwise in the right loop and thus *against* current I_{20}.

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65. This is a very important problem which I will be sure to grade. It is an RC circuit from which we'll do a lab later this coming month.

(a) This is a charging process-Q on the capacitor's positive plate grows according to the second of equations 19.17.

$Q = Qm*(1 - e^{-t/RC})$. Note: Q_m = maximum charge at the end of the process - when current I = 0. $Q_m = C*V$, where V = 60.0 (V). Note RC is easily computed from the given info. Plug in various times into the formula and you will notice Q increases with time t.

(b) Plug in various times t into the first of equations 19.17: $I = Io* e^{-t/RC}$. You will notice I decreases with time t.

(c) Make a sketch. We 'll examine detailed graphs in upcoming RC lab.