

10-6-13

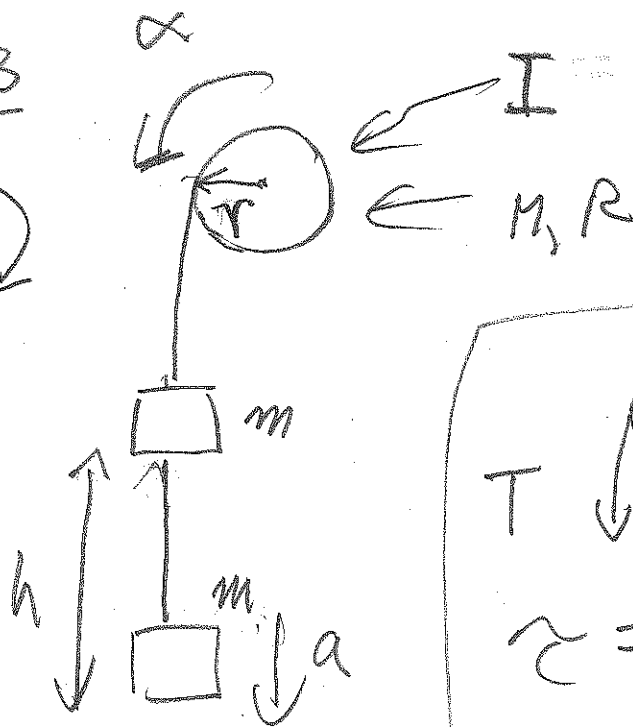
Lab on 11-8 (FRIDAY)

see example 10.3 before
Lab

EXAMPLE 10.3

CH 9, 10

$$a = \alpha \cdot R$$

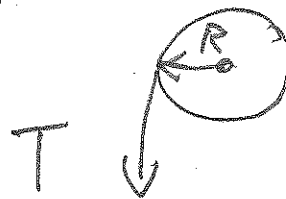
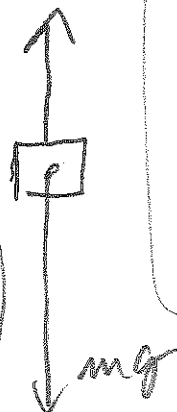


$$\Sigma F_y = \text{pos} - \text{neg}$$

$$ma = mg - T$$

solve for a, T

see example 10.3



$$\tau = r \cdot F$$

$$\tau = I \cdot \alpha$$

$$\frac{I \cdot a}{R} = T \cdot T$$

$$I \frac{a}{R^2} = T$$

Lab formula derivation

$$h = \frac{1}{2} a t^2 \quad (\text{CHZ})$$

$$a = \frac{2h}{t^2}$$

$$m \left(\frac{2h}{t^2} \right) = mg - T$$

$$I \cdot \frac{2h}{r^2 t^2} = T$$

$$m \cdot \frac{2h}{t^2} + I \cdot \frac{2h}{r^2 t^2} = mg$$

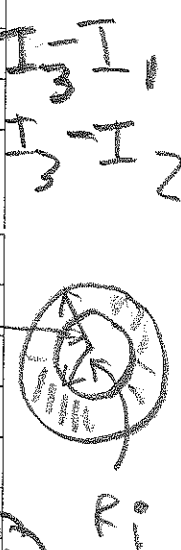
solve for I

$$I = \frac{mg - m \frac{2h}{t^2}}{\frac{2h}{r^2 t^2}}$$

$$I = m \left(\frac{g t^2}{2h} - 1 \right) \cdot r^2$$

MOMENT OF INERTIA LAB			
SEE CH. 10 EXAMPLES OF TEXTBOOK			
FROM EXAMPLE REFERENCED ABOVE AND FROM CHAPTER 2, IT CAN BE SHOWN			
$I = m \left(\frac{gt^2}{2h} - 1 \right) \cdot r^2$ <p>We will use this formula to find the moment of inertia I of a disk and ring and then compare with the theoretical values. Here h is the vertical distance fallen by hanging mass m in time t, and r = radius of axle and I is the moment of inertia for horizontally spinning disk and/or ring of demonstration equipment used in class for the past few weeks. You will measure r with vernier calipers, t with a digital timer, and m is from the weight sets and sits on a 50 g hanger. The data sheet below suggests we must eliminate I for the spindle (SP) to find the ring (RING) and disk (DISK) I's. We will get these I's by subtracting various results given below in data sheet</p>			
DATA SHEET:			
r =	m =	h =	
SPINDLE + RING			
TIME t	I _{SP} + I _{RING} = I ₁		
1			
2			
3			
4			
Average t	average I _{SP} + I _{RING}		
SPINDLE + DISK			
TIME t	I _{SP} + I _{DISK} = I ₂		
1			
2			
3			
4			
Average t	average I _{SP} + I _{DISK}		

SPINDLE + DISK + RING	
TIME t	$I_{SP} + I_{DISK} + I_{RING} = I_3$
1	
2	
3	
4	
Average t	average $I_{SP} + I_{DISK} + I_{RING}$
1. COMPUTE I_{DISK} USING APPROPRIATE SUBTRACTION. $= I_3 - I_1$	
2. COMPUTE I_{RING} USING APPROPRIATE SUBTRACTION. $= I_3 - I_2$	
COMPARE DYNAMIC MEASUREMENTS WITH THEORETICAL I-VALUES.	
RING MASS $M_{RING} =$	
RING RADIUS $R_{RING} =$	
THEORETICAL $I_{RING} = \frac{1}{2} M (R_o^2 + R_i^2)$	
PERCENT DIFFERENCE	
DISK MASS $M_{DISK} =$	
DISK RADIUS $R_{DISK} =$	
THEORETICAL $I_{DISK} = \frac{1}{2} M R^2$	
PERCENT DIFFERENCE	



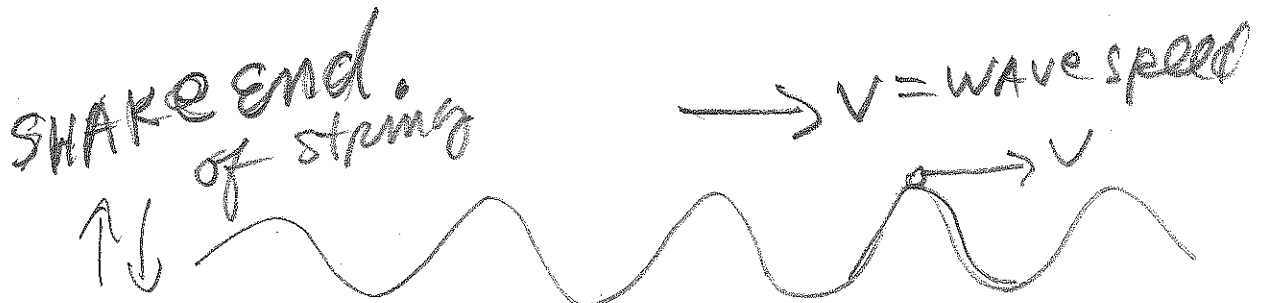
ENTER RAW DATA IN THE ABOVE TABLE. SHOW CALCULATIONAL WORK IN SPACE BELOW AND ATTACHED WHITE SHEETS.

$$\frac{I_{RING_{TH}} - (I_3 - I_2)}{\text{AVERAGE}} \times 100\%$$

$$\frac{I_{DISK_{TH}} - (I_3 - I_1)}{\text{AVERAGE}} \times 100\%$$

Ch 12

WAVES



$$= f = \frac{1}{\text{period}}$$

$$= \frac{1}{T}$$

$$\lambda = v \cdot T$$

$$\lambda = \frac{v}{f}$$

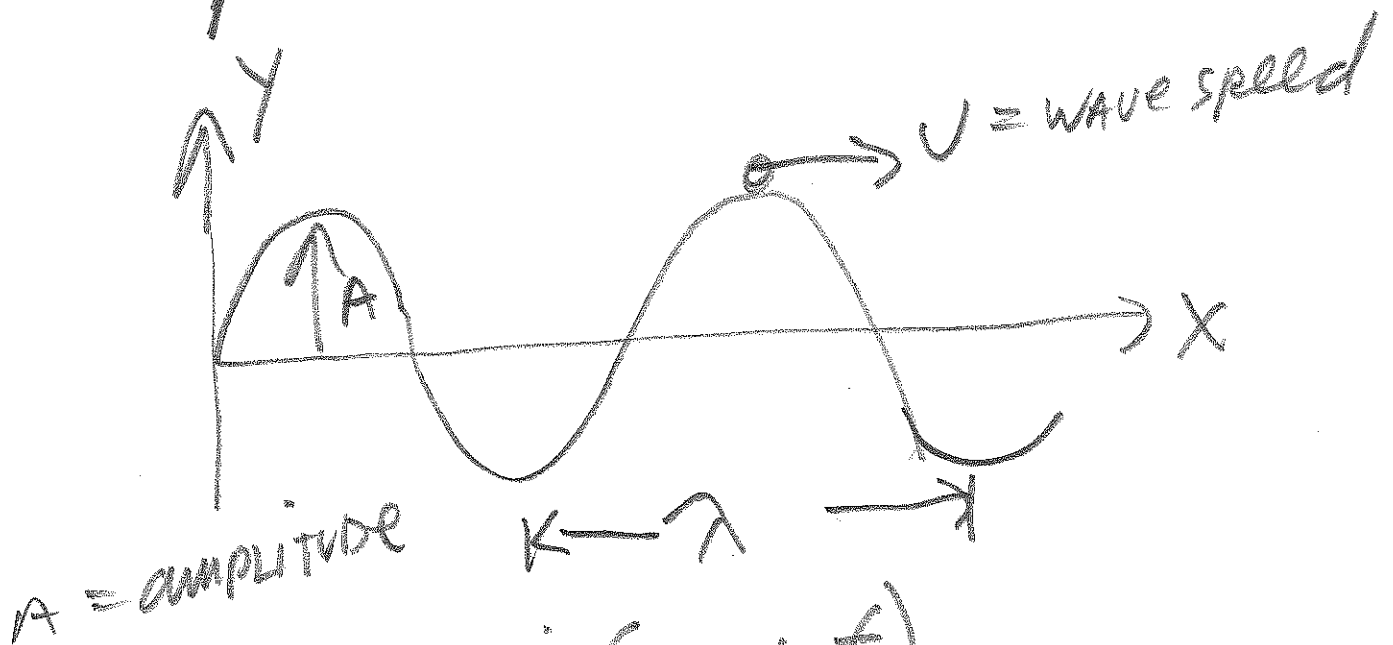
v = speed of
a crest (peak)

fig 12.3

$$v = \sqrt{\frac{F_T}{\mu}}$$

F_T string tension

$\mu =$ mass density $\left(\frac{\text{kg}}{\text{m}}\right)$



$$y = A \sin(kx - \omega t)$$

$$k = \frac{2\pi}{\lambda} \quad \text{and} \quad \omega = \frac{2\pi}{T}$$

$$\frac{\omega}{k} = \frac{2\pi/T}{2\pi/\lambda} = \frac{\lambda}{T} = \lambda \cdot f$$

→

$$\frac{\omega}{k} = v = \lambda \cdot f$$

$$\frac{\omega}{k} = v$$

12.5 reflections

Fig 12.10

(a)

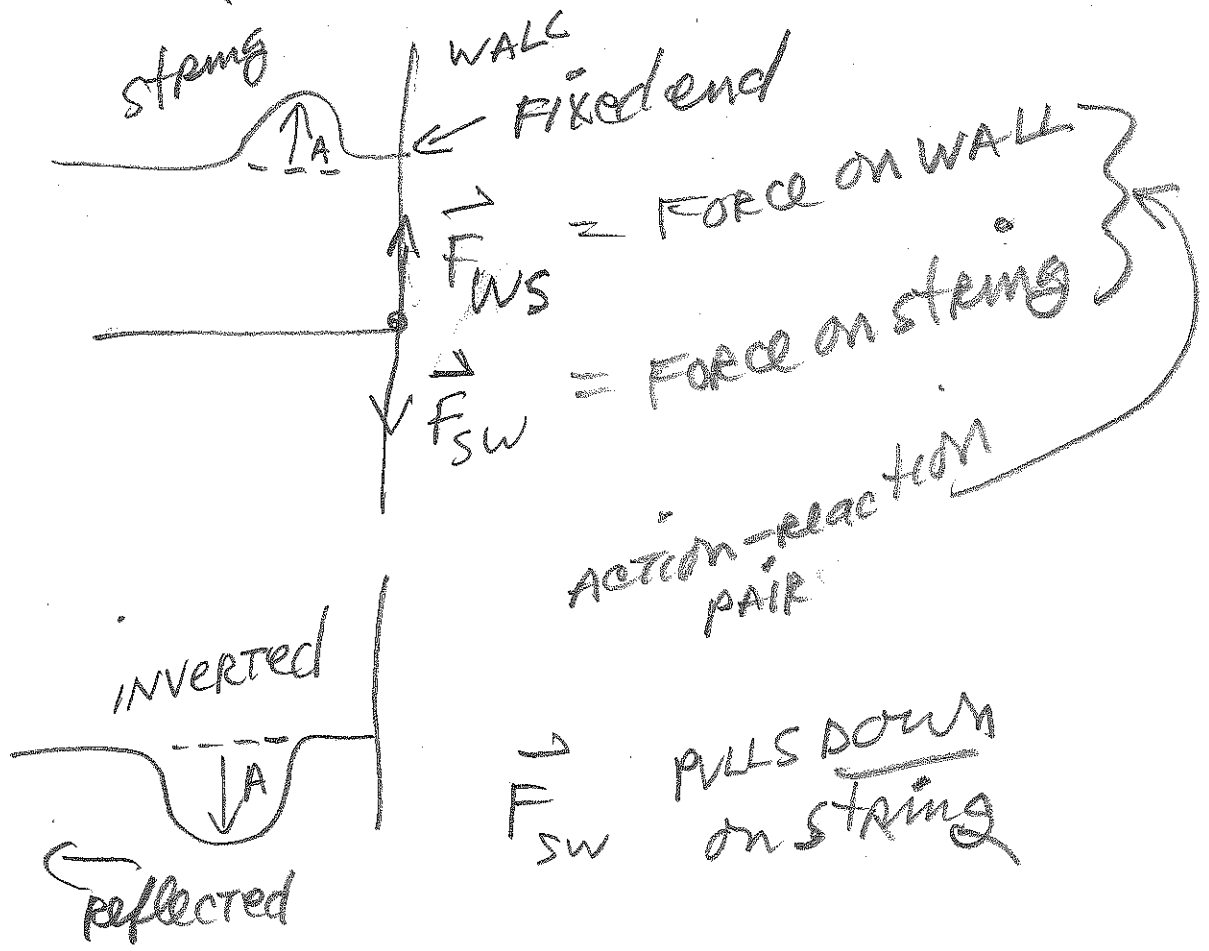
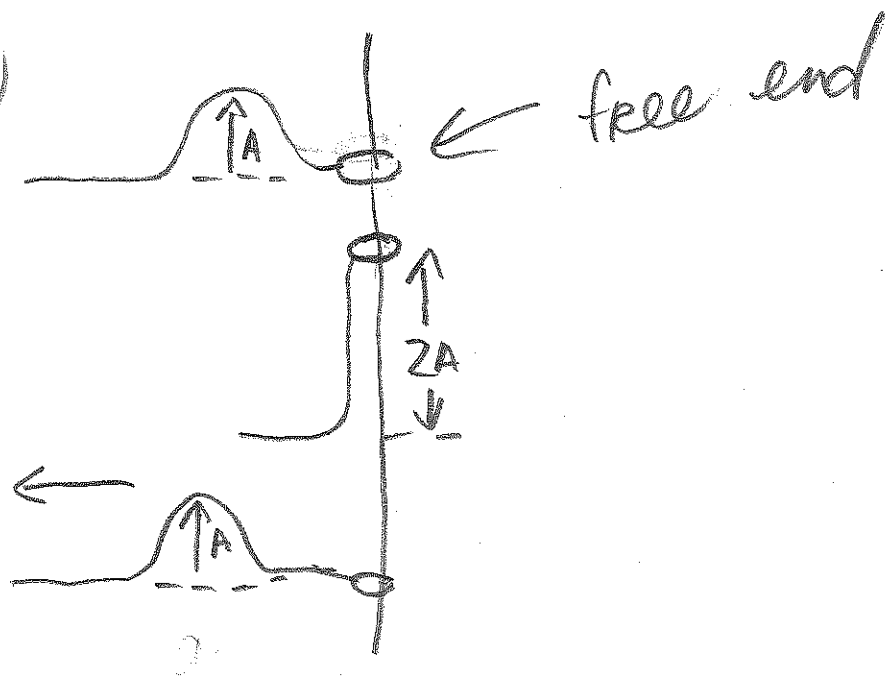


Fig 12.11

(b)

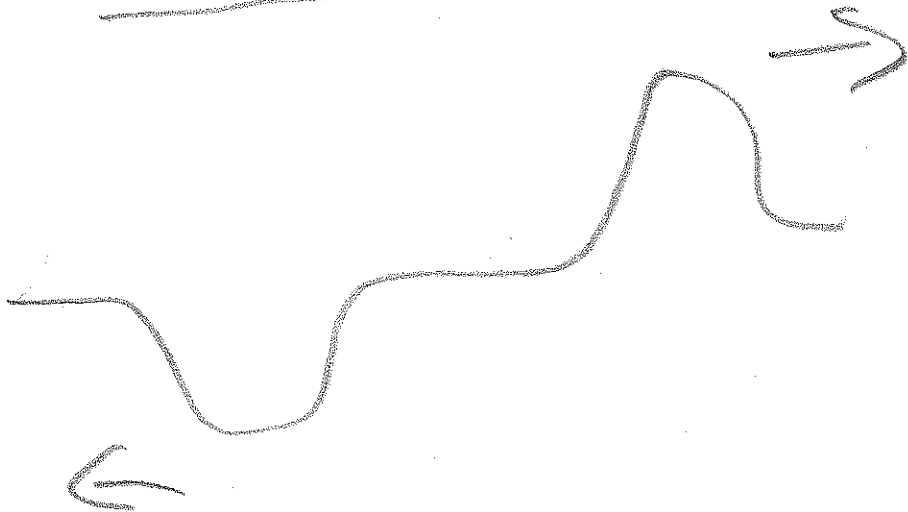


interference in detail
page 374

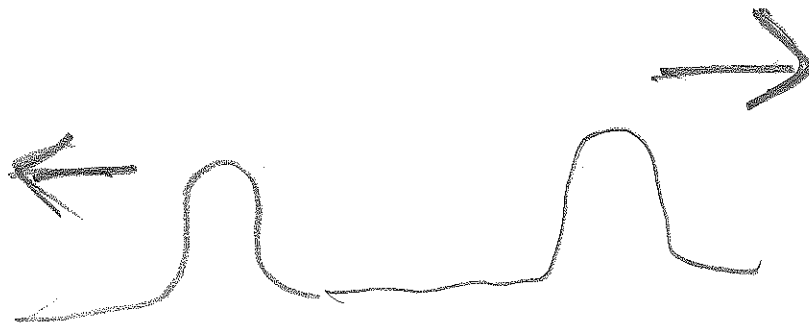
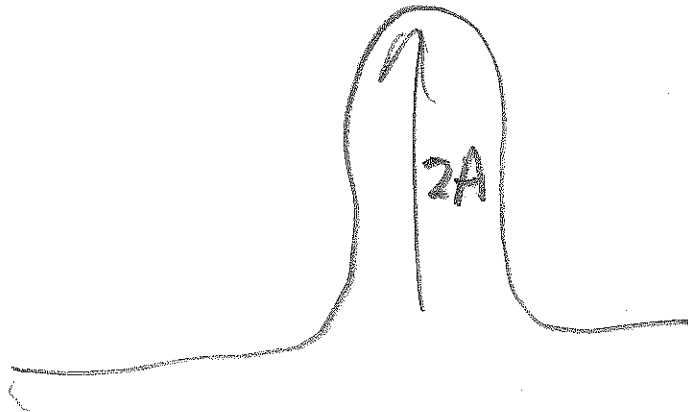
destructive:



zero

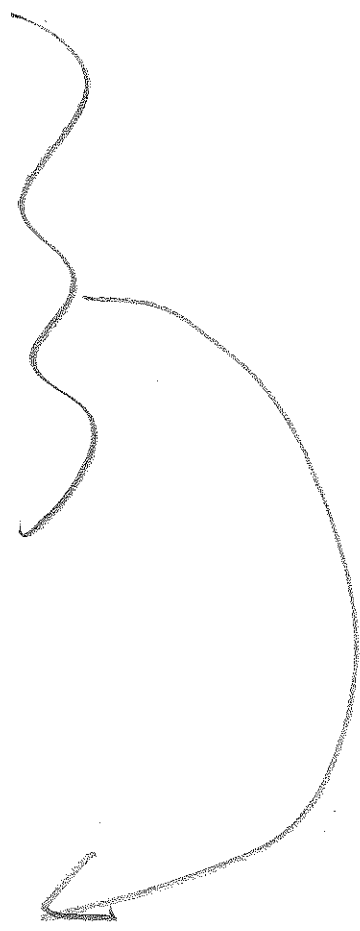
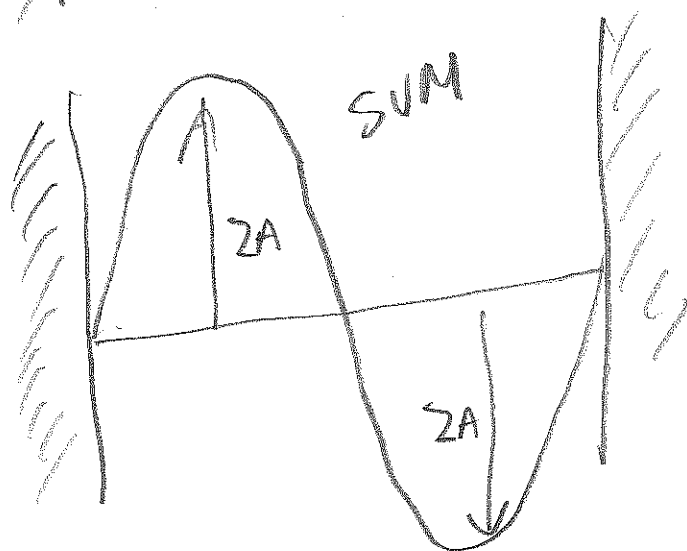
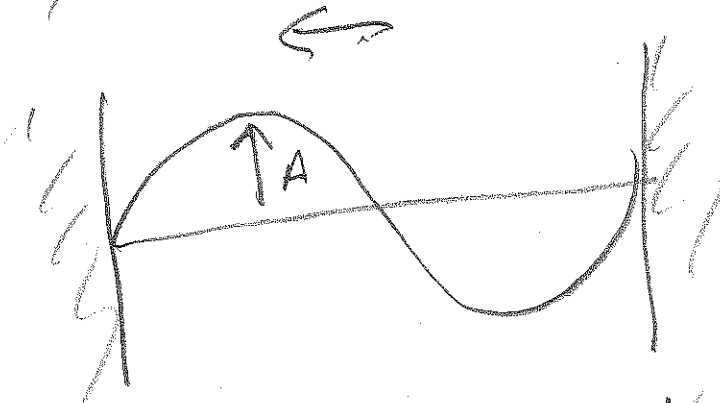
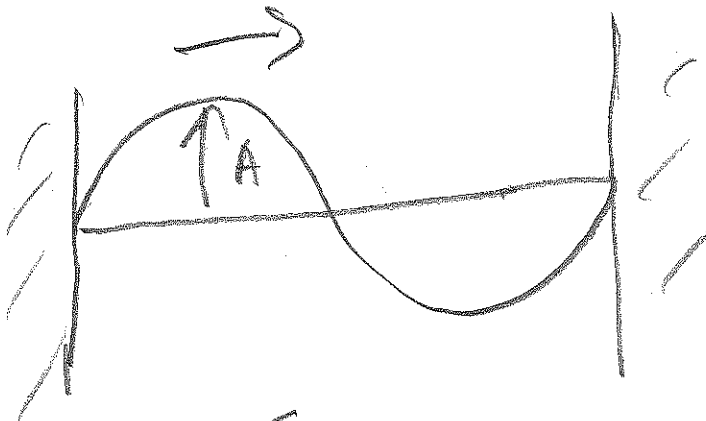


constructive

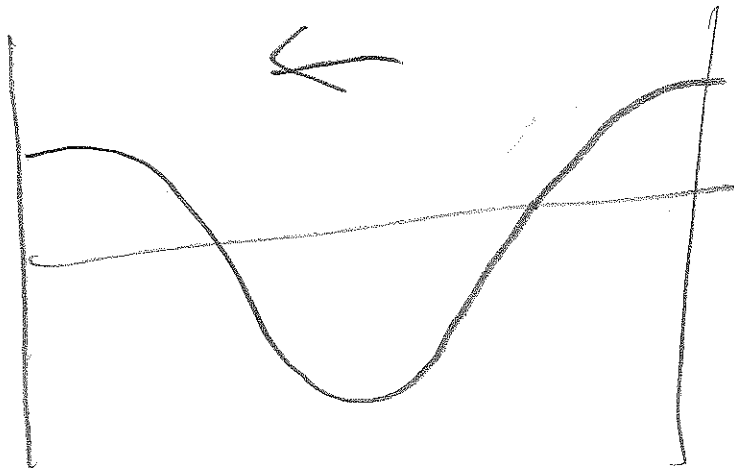
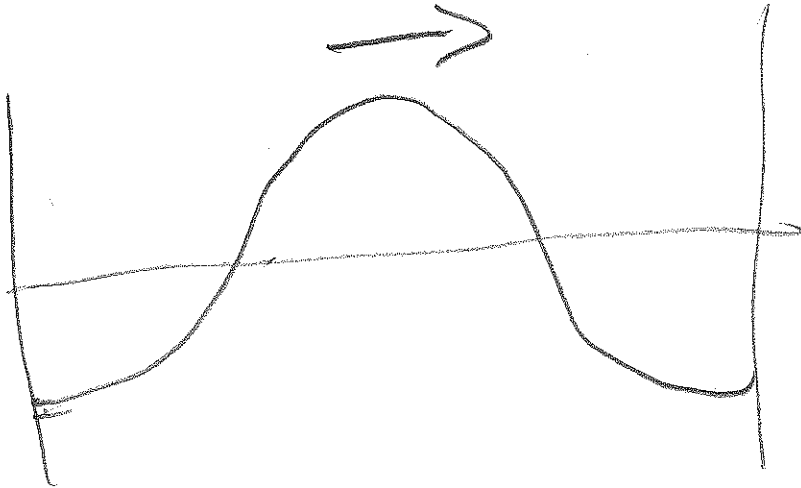


Standing waves

$t=0$



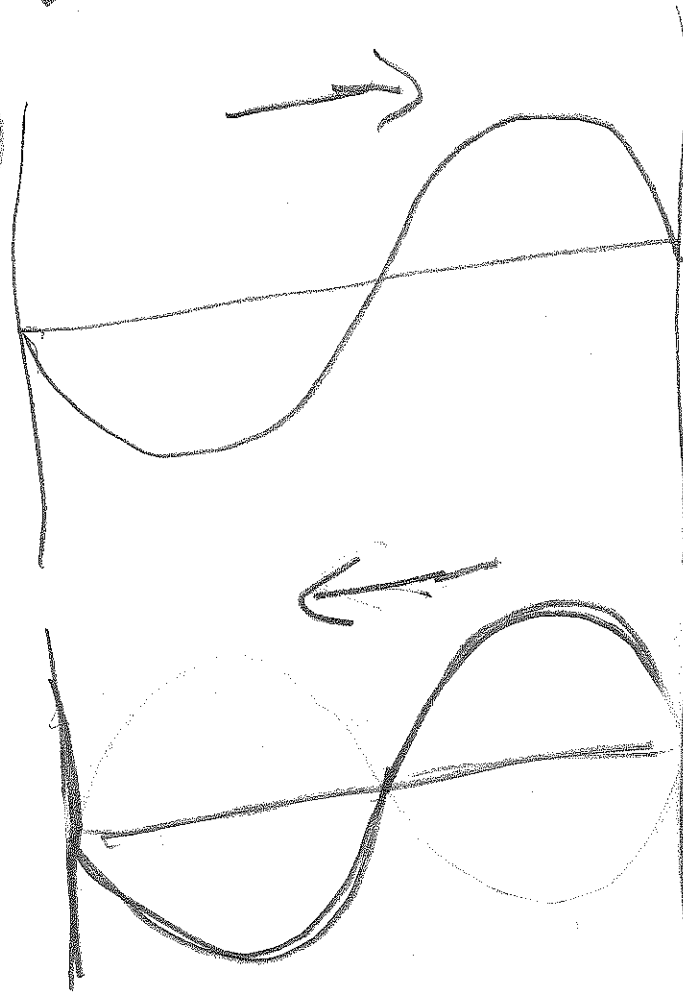
$$t = \frac{T}{4}$$



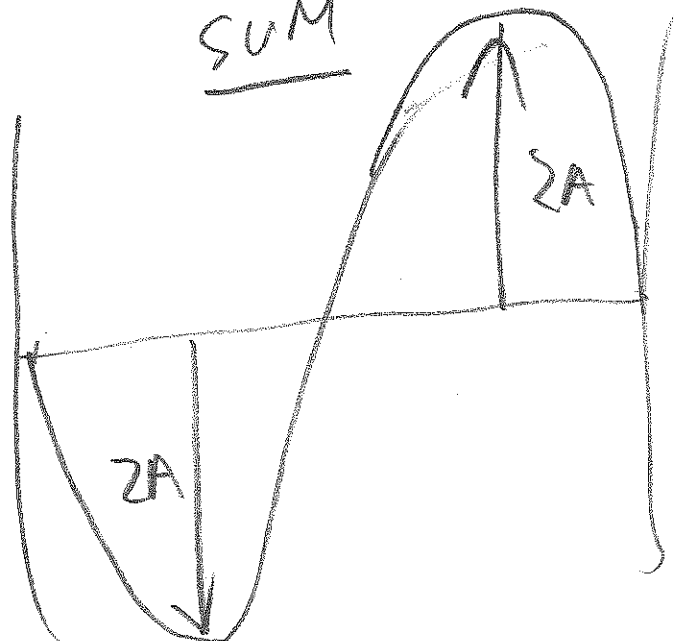
SUM
ZERO

standing wave

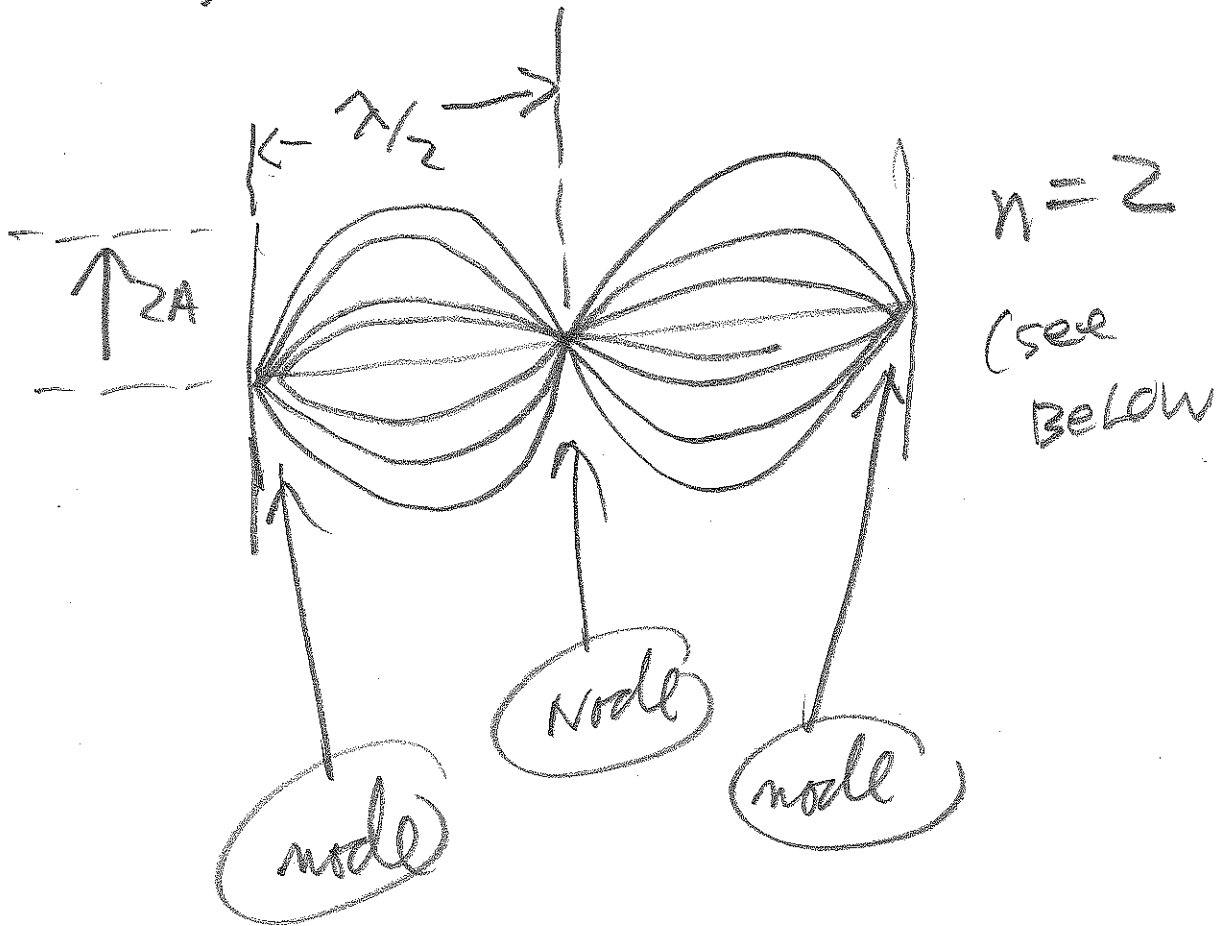
$$t = \frac{T}{2}$$



SUM

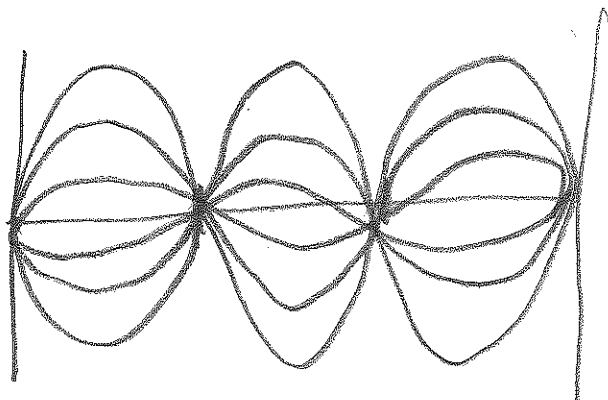


Summary:



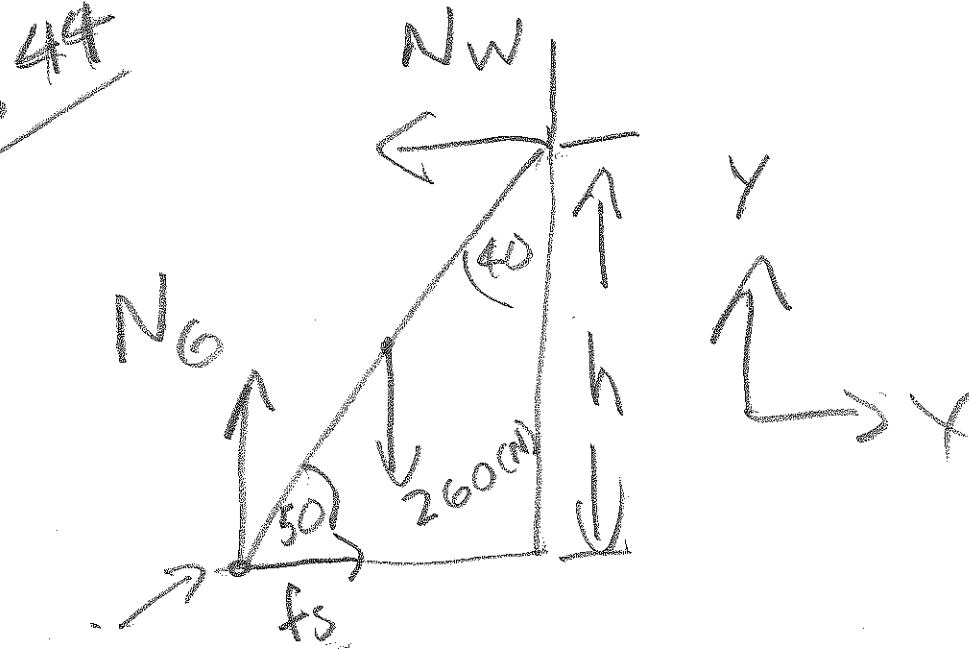
Modes $f_n = \frac{nV}{2L}$, $n=1, 2, 3, \dots$

$n=3$



Pre-lec

10.44



AXIS $\Sigma F_y = \text{pos} - \text{neg}$

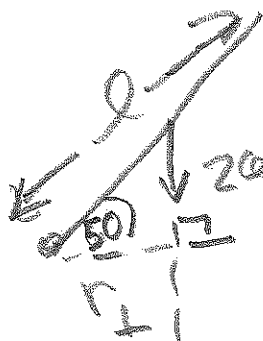
$$\Sigma F_x = \text{pos} - \text{neg}$$

$$0 = f_s - N_w$$

$$0 = N_G - 260 \text{ (N)}$$

$$\Sigma \tau = \text{clockwise} - \text{counter}$$

AXIS $0 = h \cdot N_w - r_{\perp} \cdot 260$

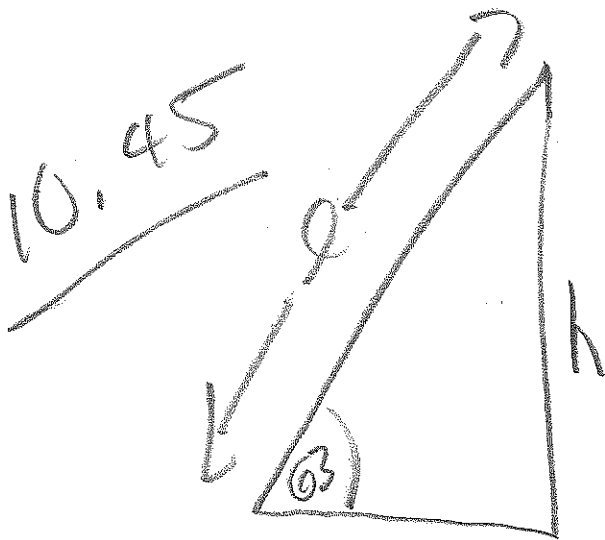


$$0 = h \cdot N_w - \frac{l \cdot \cos 50 \cdot 260}{2}$$

FIND N_w

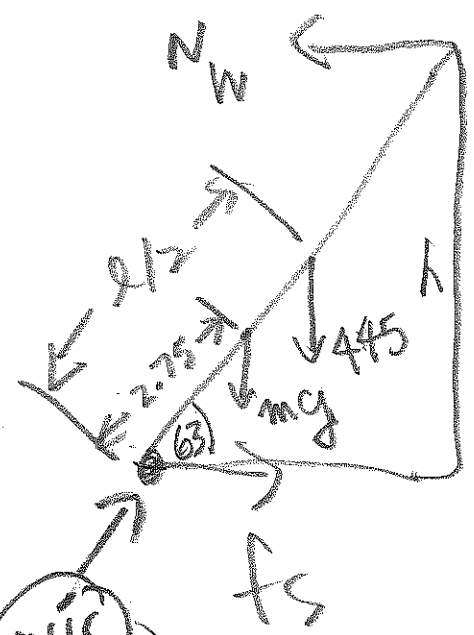
note $h = l \cdot \sin 50$

l cancels out.



$$\sum F_x = 0:$$

$$f_s = N_w$$

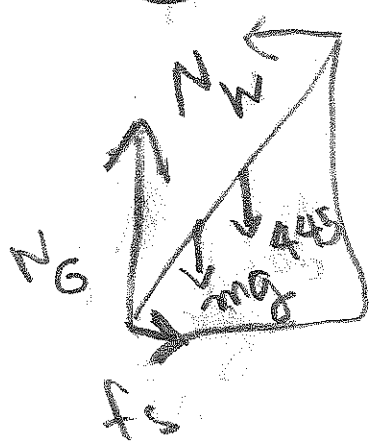


$$\sum \tau = 0 - N_w$$

$$0 = h \cdot N_w - \frac{l}{2} \cos 63^\circ \cdot 445$$

$$= 2.75 \cos 63^\circ \cdot mg$$

AXIS



(A)

FIND N_w .

(B)

$$f_s = N_w$$

(C)

$$\sum F_y = N_G - 445 - mg = 0$$