

2A 10-11-13

CH3, CH4, CH5, CH6, CH7 (E.C.)

REVIEW

ALSO POST/DISCUSS CN7

MAKE A LIST TESTS & REVIEW

BASED ON EXISTING
LECTURE NOTES

MASTERINGPHYSICS.COM

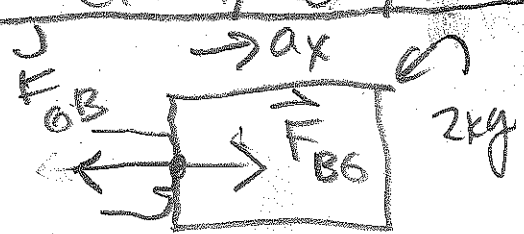
<u>Date</u>	<u>CH</u>	<u>TOPICS</u>
9-21	3	PRJ. MOTION (20) CIRCULAR II (20) RELATIVE II (20)
10-4	4	NEWTON'S LAWS
10-4	5	APPLICATIONS OF NEWTON'S LAW

Lectures note LIST

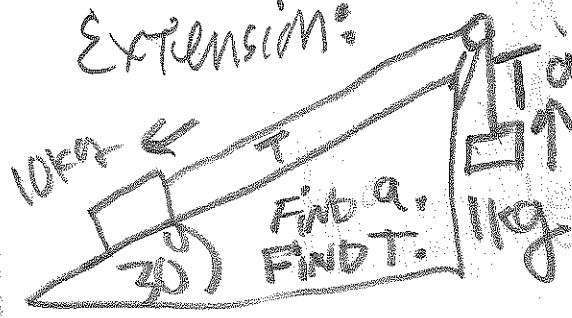
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<u>date</u>	<u>ON</u>	<u>TOPIC</u>	<u>problems</u>
9-13-13	3	PRJ MOTION	example 3.9
9-15-13	3	PRJ MOTION, CIRCULAR MOTION	SAMPLE TEST A: problem 3 problem 5 → MASS WAS NOT NEEDED. $\frac{v^2}{R} = a_c = 8.0 \frac{m}{s^2}$ $\frac{v^2}{0.75m} = 8.0 \frac{m}{s^2}$ 0.75M FIND V. SAMPLE TEST B: problem 3.
9-16-13	3		SAMPLE TEST A: # 3

1/5/13

Date	Ch	Topic	Problems
9-16	3	CIRC. MOTION	CIRCULAR MOTION LECTURE
9-16	3	2D Relative MOTION	EXAMPLE OF BOAT ON A RIVER CORRECTION PAGE 16 $ \vec{V}_{BS} = \sqrt{(4 \frac{m}{s})^2 + (3 \frac{m}{s})^2}$ NOT: $ \vec{V}_{BR} = 4 \frac{m}{s}$ $ \vec{V}_{BS} = \sqrt{16 + 9} \frac{m}{s}$ $ \vec{V}_{BS} = 5 \frac{m}{s}$
9-18	4	N'S LAWS	Example 9
9-18	4		 <p>set $F_{BG} = 3N$ $a_x = 3/2 \frac{m}{s^2}$</p>

can
 find
 the

Date	Ch	Topic	Problem
9-20	3	PJM CIRCULAR MOTION	Test 1 solutions; Problem 4 Problem 5* $* \frac{v^2}{R} = 8.0 \frac{m}{s^2}$ $v = 2.0 \frac{m}{s}$
9-20	10	CIRCULAR DYNAMICS	$F_c = \frac{mv^2}{R} = (2.2 \text{ kg}) \frac{(2.57 \frac{m}{s})^2}{0.75 \text{ m}}$ $= (2.2 \text{ kg}) \cdot (8.0 \frac{m}{s^2})$ $= 17.6 \text{ (N)}$
9-23	5	APPS. N LAWS	Example 3 Example 6 Example 7 Extension: 

Date	CN	Topic	Problem
18-11-13	5	Applications Newton's Laws	(46), (60)
	6	Circular Dynamics	(47), (10), (11)
	7	Energy	87, 55, 56, 48, 54

(4)

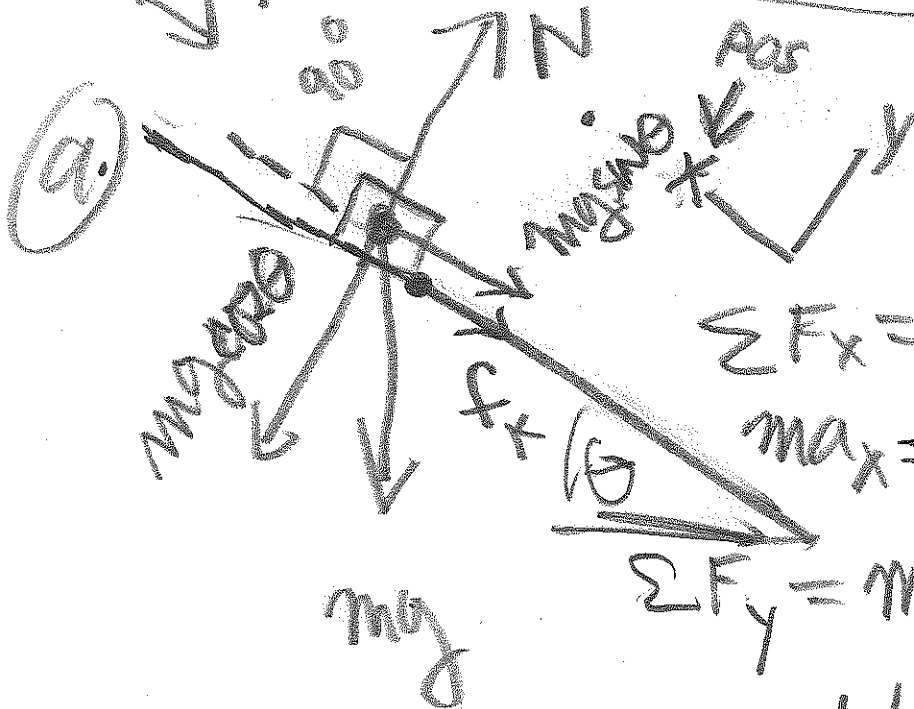
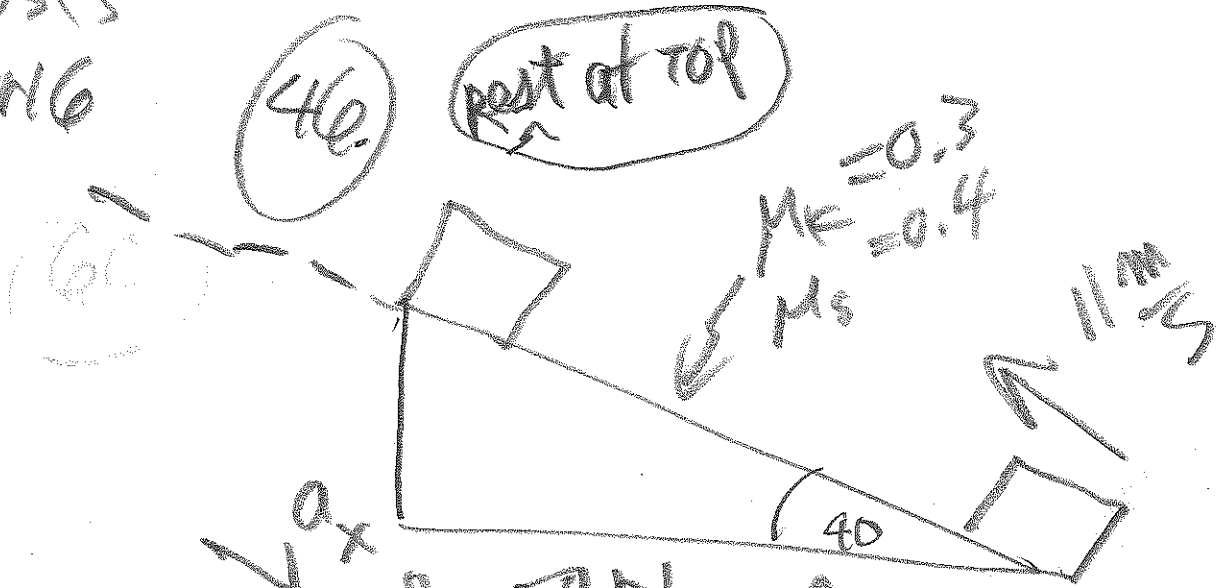
more test 2 review problems:

(46), (60) ← CH5

CH6 → (47), (10), (11)

CH7 → (57)*, (55), (56), (48), (54)

*uses
CH6



$$\Sigma F_x = \mu_s N - mg \sin \theta$$

$$ma_x = 0 = \mu_s N - mg \sin \theta - f_k$$

$$\Sigma F_y = ma_y = 0 = N - mg \cos \theta$$

$$N = mg \cos \theta$$

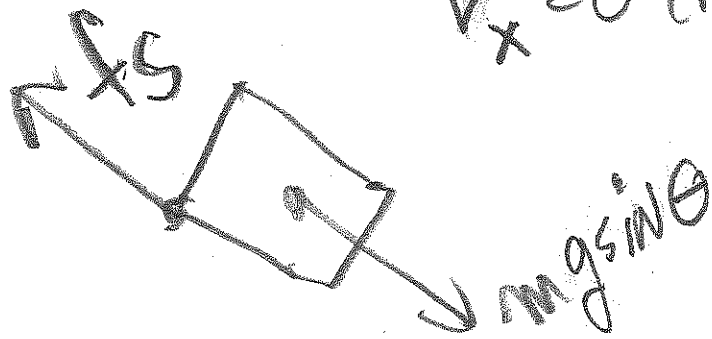
$$f_k = \mu_k \cdot N$$

$$m a_x = 0 - m g \sin \theta - \mu_k m g \cos \theta$$

$$a_x = -g \sin \theta - \mu_k g \cos \theta$$

highest point:

$$v_x = 0 \text{ (rest)}$$



*
 $f_{s \text{ MAX}} = \mu_s \cdot N$

CHECK IF $f_{s \text{ MAX}} \geq m g \sin \theta$

$$\mu_s \cdot m g \cos \theta \geq m g \sin \theta$$

$$\mu_s \geq \tan \theta$$

$$\mu_s \geq \tan 40$$

$$0.40 \geq \tan 40$$

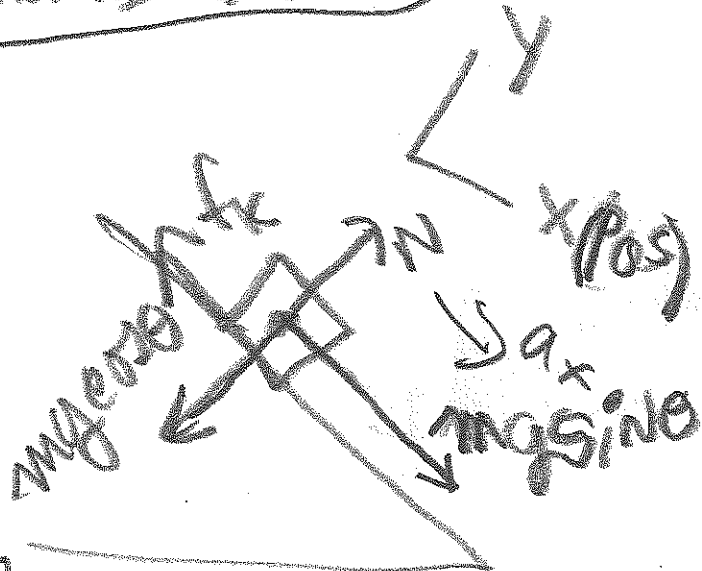
but $\tan 40 = 0.84$
 $\mu_s < \tan 40^*$

Inequality



goes DOWN*

Remains at rest



$$\sum F_x = \text{pos} - \text{neg}$$

$$ma_x = mg \sin \theta - f_k$$

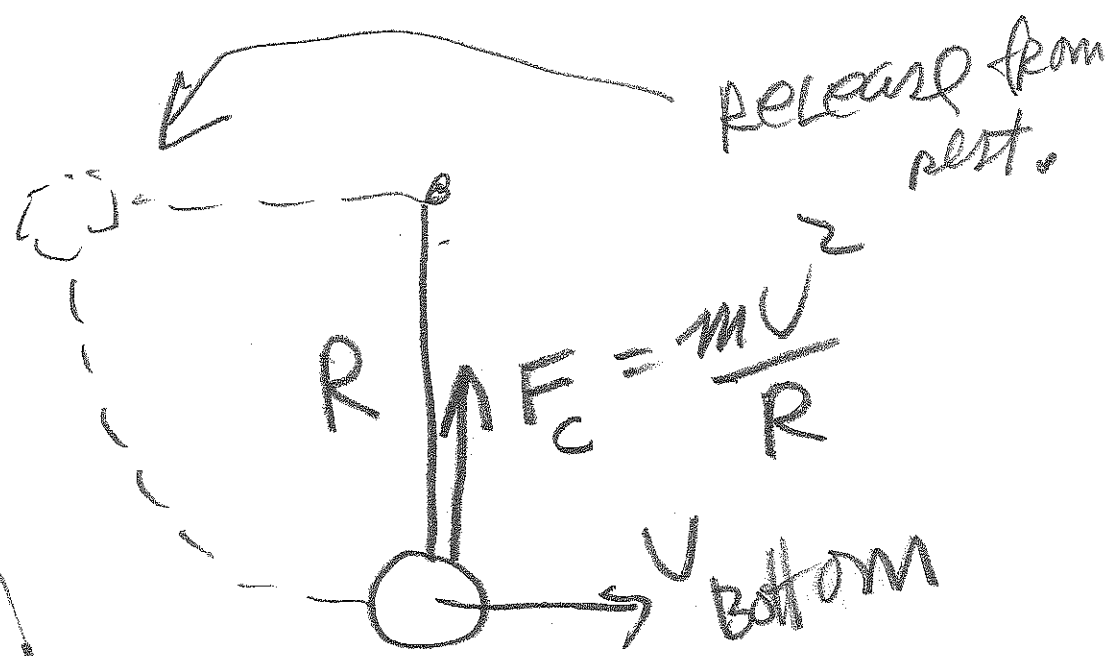
$$a_x = g \sin \theta - \mu_k \cdot g \cos \theta \quad \text{DOWN}$$

$$f_k = \mu_k \cdot mg \cos \theta$$

$$|a_x|_{\text{DOWN}} < |a_x|_{\text{UP}}$$

ch 6

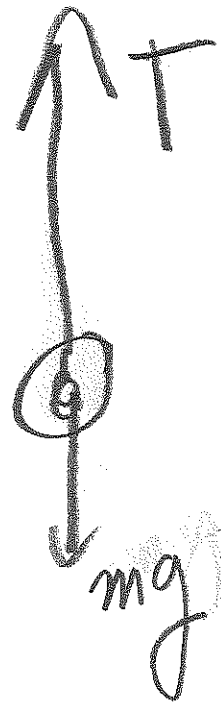
10.



POS TOWARD CENTER

$$\Sigma F = \text{pos} - \text{neg}$$

$$\frac{mv^2}{R} = T - mg$$



(a) $a = \frac{v^2}{R}$
 $= \frac{(420)^2}{3.8}$

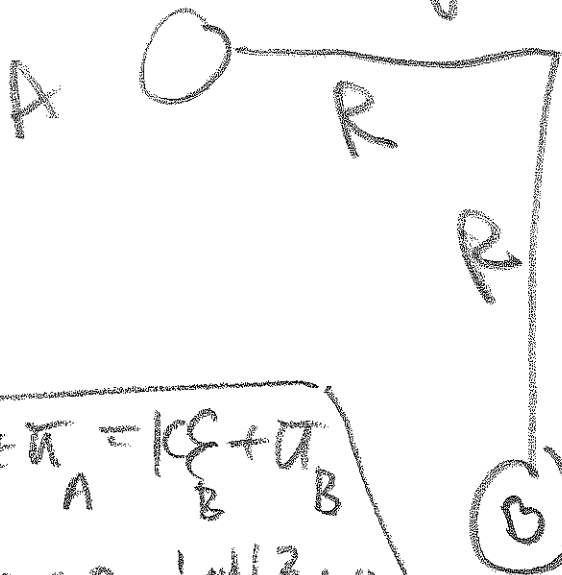
(b) $T = \frac{mv^2}{R} + mg$
 $= m \left(\frac{v^2}{R} + g \right)$

ch 7 extension for (a)
#10, ch 6

CH 7 problem from (10), CH 6

$$KE_A = 0$$

$$U_{A \rightarrow B} = mgr$$



$$KE_A + U_A = KE_B + U_B$$

$$0 + mgr = \frac{1}{2}mv_B^2 + 0$$



$$KE_A = \frac{1}{2}mv_B^2, U_g = 0$$

$$mgr = \frac{1}{2}mv_B^2$$

$$v_B = \sqrt{2gr} = \sqrt{(9.8)(3.8)}$$

$$= 8.6 \text{ m/s} \approx 4.20 \text{ m/s}$$